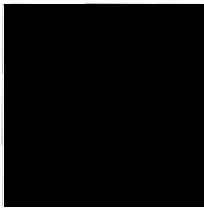


Brian

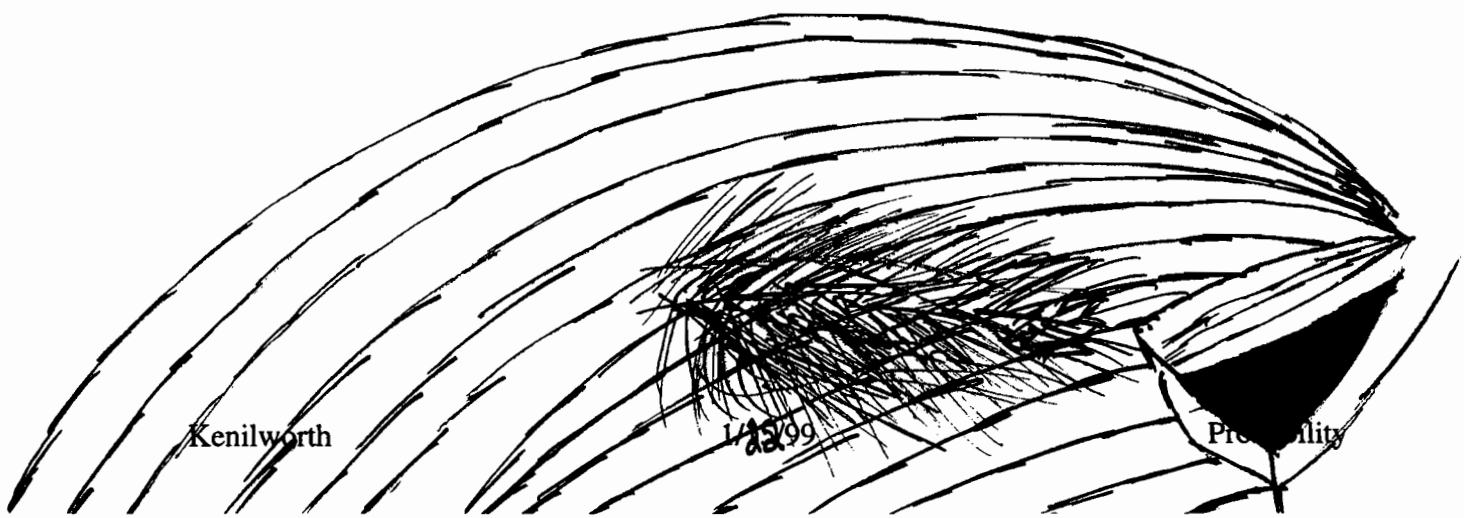


## World Series Problem 1

In a "world series" two teams play each other in at least four and at most 7 games. The first team to win four games is the winner of the "world series". Assuming that both teams are equally matched,

What is the probability that a "world series" will be won:

- (a) In 4 games ?
- (b) In 5 games ?
- (c) In 6 games ?
- ☛ In 7 games ?



AAAA 4 games

$$P(4 \text{ games}) = \frac{1}{16}$$

Brigad

AAAA	- AAABBA	BBBABA
BBBB	- AABABA	BBABAB
AAABA	- ABAABA	BABBAB
AABAA	- BAAABA	ABBBAB
ABAAA	- AABVAA	BBAAAB
BAAAA	- ABABAA	BABABB
BBBAB	- BAAVAA	ABBABB
BBABB	- ABVAAA	BAABBB
BABBB	- BABAAA	ABBBBB
ABBBB	AABB BB	BBAAAA

- AAABVBA	BBBAAAB
- AABABBA	BBABAAB
- ABAAVBA	BABVBAAB
- BAAABVBA	ABBBAAAB
- AABVABA	BBAA BAB
- ABABABA	BABABAB
- BAAVABA	ABBA BAB
- ABVAAA	BAA VBAV
- BABAABA	ABABVBAV
- AABVVAA	BBAAABB
- ABABVAA	BABAABB
- BAAVVAA	ABBAABB
- ABVABA	BAABABB
- BABA VAA	ABABABB
- ABVVAAA	BAAAGBB
- BAVVAAA	ABAAVBB

- BBB AAAA AAABBBB
- ~~BBBAAA~~ ~~AAABBBB~~
- BBABA AAA ABABBB
- BBAAVAA AAABABB
- BBAAA BA ABBBAB

# World Series Problem 1

Ankur

In a "world series" two teams play each other in at least four and at most 7 games. The first team to win four games is the winner of the "world series". Assuming that both teams are equally matched,

What is the probability that a "world series" will be won:

- (a) In 4 games ?  $2/16$   $2/16$
- (b) In 5 games ?  $8/32$   $4/16$   $4/16$
- (c) In 6 games ?  $20/64$   $5/16$   $5/16$
- (d) In 7 games ?  $10/128$   $5/16$   $5/16$

4 games  
AAAA

1x2

5 games  
AAABA  
AABAA  
ABAAA  
BAAAA  
4x2

6 games  
-AAABBA  
-AABBAA  
-ABBAAA  
-BBAAAA  
-BAAABA  
-BAABAA  
-BABAAA  
-ABABAA  
-ABAABA  
-AABABA  
10x2

7 games  
-AAABBB  
-AABBBB  
-ABBAAA  
-BBBAAA  
-BBAAABA  
-BBBAABA  
-BBABAAA  
-ABBABAA  
-ABBABBA  
-AABBABA  
-BABBAAA  
-AABBBAA  
-AABBBBA  
-BAAAABA  
-BABAABA  
-BABABAA  
-BABABBA  
-ABABAAA  
-BAABAAA  
20x2

A or B

$\frac{2}{2} \frac{2}{2} \frac{2}{2} \frac{2}{2} \frac{2}{2}$

$\frac{20}{2} \frac{2}{2} \frac{2}{2} \frac{1}{1} \frac{1}{1}$

# World Series Problem 1

In a "world series" two teams play each other in at least four and at most 7 games. The first team to win four games is the winner of the "world series". Assuming that both teams are equally matched,

What is the probability that a "world series" will be won:

- (a) In 4 games?  $\frac{1}{16}$  AAAA BBBB  $\frac{1}{16}$
- (b) In 5 games?  $\frac{4}{16}$
- (c) In 6 games?  $\frac{5}{16}$
- (d) In 7 games?  $\frac{5}{128}$

$$\frac{4}{16} = \frac{1}{4}$$

$$2 \cdot 2 \cdot 2 \cdot 2 \cdot 2 \cdot 2 \cdot 2 = 128$$

$$\frac{61}{AB} \quad \frac{62}{AB}$$

ABBBB  
BA...  
BBA..  
BBBA.  
ABBB.  
BBBB

$$\frac{1}{2} \cdot \frac{1}{2} \cdot \frac{1}{2} \cdot \frac{1}{2}$$

$$2 \cdot 2 \cdot 2 \cdot 2 \cdot \frac{1}{32} \cdot \frac{1}{32} \cdot \frac{1}{32}$$

$$\frac{128}{100} = \frac{128}{100}$$

$$\frac{2}{16} \quad \frac{40}{32} \quad \frac{70}{128} \quad \frac{40}{64} \quad \frac{20}{32}$$

Left

$\frac{1}{210-1}$

2

~~BB~~ BB  
 GG

$\frac{1}{7}$  BB

$\frac{1}{3}$

3

~~BBB~~ GGG  
 BGG GBB  
 GGB BGG  
 GBG BGB

MA

### World Series Problem 1

In a "world series" two teams play each other in at least four and at most 7 games. The first team to win four games is the winner of the "world series". Assuming that both teams are equally matched,

What is the probability that a "world series" will be won:

(a) In 4 games ?

$$\frac{1}{2} \times \frac{1}{2} \times \frac{1}{2} \times \frac{1}{2}$$

$$\frac{1}{16}$$

(b) In 5 games ?

$$\frac{1}{2} \times \frac{1}{2} \times \frac{1}{2} \times \frac{1}{2} \times \frac{1}{2}$$

$$\frac{14}{16}$$

(c) In 6 games ?

$$\frac{1}{8}$$

$$\frac{1}{16}$$

(d) In 7 games ?

$$\frac{1}{32}$$

$$\frac{1}{16}$$

AAABA  
AABAA  
ABAAA

$$\frac{64 \times 2}{128} = 128$$

$$2 \sqrt{126}$$

L L W L L  
 $\frac{1}{2} \frac{1}{2} \frac{1}{2} \frac{1}{2} \frac{1}{2}$

64 32 16 8 4 2 1  
| | | | | | |  
.....

63	1	2	3	4	5
v	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$
'					
L	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$

$\frac{1}{2} \frac{1}{2} \frac{1}{2} \frac{1}{2}$

$$\frac{2}{16}$$

Mike A.

	6					
32	16	8	4	2	1	
<u>1</u>	<u>2</u>	<u>3</u>	<u>4</u>	<u>5</u>	<u>6</u>	
1	1	1	0	0	1	
1	1	0	1	0	1	
1	1	0	0	1	1	
1	0	1	1	0	1	
1	0	1	0	1	1	
1	0	0	1	1	1	
0	1	1	1	0	1	
0	1	0	1	1	1	
0	1	1	0	1	1	
<u>0</u>	<u>0</u>	<u>1</u>	<u>1</u>	<u>1</u>	<u>1</u>	
0						

$$\begin{array}{r} 31 \\ \cdot 162 \end{array}$$

$$\begin{array}{r} 31 \\ -9 \\ \hline 23 \end{array}$$

$$\begin{array}{r} 31 \\ -1 \\ \hline 30 \end{array}$$

	1					
2	3	1				
1	3	3	0			
1	4	6	0	1		
1	5	10	0	5	1	
1	6	15	20	15	6	1
1	1	2	3	4	5	6

$$\begin{array}{r} 15 \\ 6 \\ \hline 21 \\ 22 \\ \hline 43 \end{array}$$

$$\begin{array}{r} 15 \\ 1 \\ \hline 22 \end{array}$$



Romner

### World Series Problem 1

In a "world series" two teams play each other in at least four and at most 7 games. The first team to win four games is the winner of the "world series". Assuming that both teams are equally matched,

$2^n$

What is the probability that a "world series" will be won:

- $\frac{2}{16}$  (a) In 4 games ?
- $\frac{4}{16}$  (b) In 5 games ?
- $\frac{6}{16}$  (c) In 6 games ?
- $\frac{5}{16}$  (d) In 7 games ?



ABBA



$$\begin{array}{l}
 A A A A \\
 B B B B
 \end{array}
 \cdot \frac{1}{2} \cdot \frac{1}{2} \cdot \frac{1}{2} \cdot \frac{1}{2} \cdot \frac{1}{2} = \frac{1}{16}$$

fo



~~ABBA~~

~~AAAAA~~

~~AAABBA~~

~~ABABBA~~

~~ABABBA~~

~~BAAABA~~

AABBBAA

ABABBAA

BAABBAA

ABBBAAA

BABBBAA

BBBBAAA

BABABAA

BA~~B~~ABAA

ABBA BAA

ABBAABA

BBABAAA

BBBBAAA

BBABAAB

BBAAAAB

AAABBBBA

AABABBA

ABAAABA

BAAABBA

AABBABA

ABABABA

BAAABA

AABBBAA

ABABBAA

BAAABAA

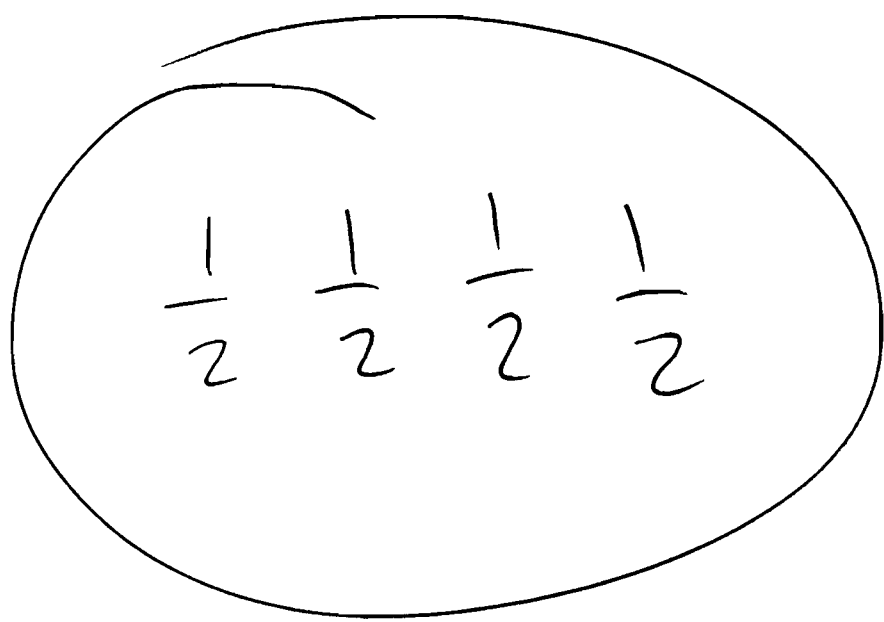
A BBBAAA

BABBAAA

BBBBAAA

20

21



A hand-drawn oval containing four fractions arranged horizontally:  $\frac{1}{2}$ ,  $\frac{1}{2}$ ,  $\frac{1}{2}$ , and  $\frac{1}{2}$ .

$$\frac{1}{2^{10} - 1}$$

?

$$\frac{1}{2^n - 1}$$

<del>BB</del>	BG
B	<del>G</del>

Handwritten scribble or signature.

BGB    BGBG    G

B B B

G

G

G

Handwritten scribbles and lines.