# THE INVESTIGATION OF AMPHIPHILIC PEPTIDES $V_6K_2$ , $V_6K_3$ AND PEPTIDE MIXTURE SYSTEMS

By

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#### **ABSTRACT OF THE THESIS**

The Investigation of Amphiphilic Peptides  $V_6K_2$ ,  $V_6K_3$  and Peptide Mixture Systems by CHIEN YU LU

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Dr. Meenakshi Dutt

Peptide self-assembly is a wide disciplinary study. There are 20 amino acids that provide miscellaneous combinations of peptide which based on different amino acid sequences. Different amino acid sequences peptides can self-assemble into different supramolecular nanostructures via self-assembly process. These nanostructures can be applied to many fields such as tissue engineering, drug delivery and electronic industry. There are many types of research have been focused on amphiphilic peptides mainly based on experimental studies. The goal of this study is to investigate two amphiphilic peptides:  $V_6K_2$  (valine-valine-valine-valine-valine-lysine-lysine),  $V_6K_3$ (valine-valine-valine-valine-valine-valine-lysine) and their mixture systems based on Molecular Dynamics Study. The mixture systems of these two peptides provide the indepth scope of the physical, chemical and thermodynamic properties of the peptide system.

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#### **Chapter 1 Introduction and Motivation**

Molecular self-assembly has become a powerful and popular tool to synthesize advanced materials. Molecular self-assembly can be used in many fields such as advanced biomaterials design and synthesis <sup>1-6</sup>, neurodegenerative disease treatments<sup>7-10</sup>, tissue engineering <sup>11-19</sup> and electronics <sup>20-25</sup>. For example, biomaterials are designed for specific medical purposes like the regenerative treatment for injury and transplantation. In electronics, self-assembly nanostructures of phenylalanine peptide can be used in organic electronics. Molecular self-assembly of the amphiphilic peptide is the one we focus on in this work. There are 20 amino acids that provide many combinations of amphiphilic peptides and building blocks for design biomaterials. The amphiphiles can self-assemble into a high degree of controllable nanostructures such as nanorod, nanotube, nanovesicle, micelle, film and lamella. <sup>26</sup> Based on different sequences of the peptide, the creation of different nanomaterial morphologies can be found via a self-assembly process. Each sequence and their molecular characteristics can generate the interplay relationships.

In this work, we will focus on two amphiphilic peptides which are  $V_6K_2$  (valine-lysine) will self-assemble into a nanotube, nanovesicle (based on different pH environments) or rod-like fibril based on experimental results. On the other hand,  $V_6K_3$  (valine-valin

focus on these two peptides based on the computational method. Hence, the validation based on the computational model for these two peptides against existing experimental results is presented. Here, we will use Molecular Dynamics in conjunction with a MARTINI coarse-grained force field to study the morphology of each peptide via the self-assembly process.

The study of the mixture systems of  $V_6K_2$  (valine-valine-valine-valine-valine-valine-valine-valine-valine-valine-valine-valine-lysine) is another important topic in this work. In the mixture systems, we can observe the interactions (like or unlike interactions), line tension, solvent accessible surface area (SASA) and clusters. The way to investigate the mixture system is by varying the molecular composition through the total concentration of the peptides and the relative concentration of the peptides. The nanostructures of the hybrid materials can be classified into several categories. Later, the analysis part will demonstrate how the analysis codes work out to analyze the physical characteristics of the nanostructures for  $V_6K_2$  (valine-val

In Chapter 2, the MARTINI Coarse-Grained Molecular Dynamics simulations are introduced as a tool for building peptide models and the peptide systems. The methodology, detailed parameters are provided in this chapter for both polarizable and non-polarizable water models.

In Chapter 3, the mixture systems of  $V_6K_2$  (valine-valine-valine-valine-valine-valine-valine-lysine) and  $V_6K_3$  are investigated through one total peptide concentration with 11

relative peptide concentration (ranging from 0% to 100%). The results are based upon 10 independent particle trajectories. The analysis will be discussed in this chapter based upon the mixture systems.

In Chapter 4, we make conclusions of our investigation of the  $V_6K_2$  (valine – valine – valine – valine – lysine – lysine) peptide,  $V_6K_3$  (valine-valine-valine-valine-valine-valine-lysine-lysine) peptide and peptide mixture systems of both.

# Chapter 2 Modeling $V_6K_2$ and $V_6K_3$ peptides using Molecular Dynamics

#### 2.1 Molecular Dynamic and Martini force field

The Molecular Dynamic simulation technique computes the particle trajectory of systems by integrating Newton's second law of motion. The particle trajectories of these systems can be further analyzed to determine equilibrium and transport properties. The result is a trajectory that explicitly states how the positions, velocities and accelerations of the particles in the system vary with time. The trajectory is obtained by solving the differential equations in Newton's second law (F=ma):

$$\frac{d^2x_i}{dt^2} = \frac{F_{xi}}{m_i} \tag{1}$$

The Equation (1) represents the motion of a particle of mass  $m_i$  along the coordinate  $x_i$  with force  $F_{xi}$  being on the particle in the specific direction. The MD simulations are run using the MD package called GROMACS. GROMACS is a molecular dynamics package for simulating proteins, lipids and nucleic acids and the Martini force field is implemented in GROMACS. In our work, we perform simulations and analyses by using GROMACS package. Although quantum mechanics simulation represents the most accurate results, it is difficult for the existing computational tools to simulate the complex systems as we have in our work.

The Martini v2.2 coarse-grained (CG) force field is used for the non-polarizable water model system.<sup>27-29</sup> The coarse-grained molecular modeling is a technique enables people to study larger time magnitude and scale (like 2-3 orders) than atomistic modeling simulation. Four main types of interaction sites are considered in the model which are polar (P), nonpolar (N), apolar (C), and charged (Q).<sup>27</sup> Subtypes are either showed as a letter to describe the hydrogen-bond capabilities (d= donor, a= acceptor, da= both, 0= none) or by using a number to denote the degree of polarity (from 1 to 5, the lowest to the highest).<sup>27</sup> The mapping scheme of all protein amino acids is shown as (Fig 1) below.<sup>27</sup>

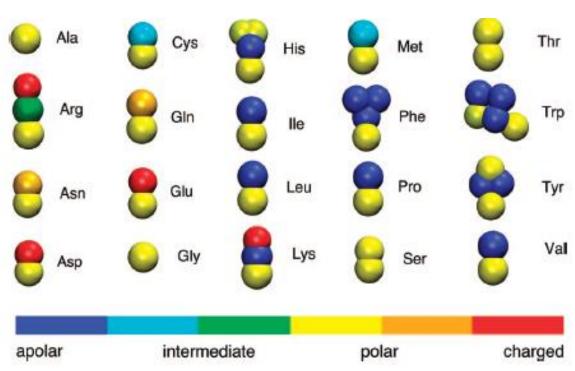


Figure (1) Mapping scheme of all protein amino acids.

The nonbonded interactions for particles interact via Lennard-Jones (LJ) potential:

$$V_{LJ}(r) = 4\varepsilon \left[ \left( \frac{\sigma}{r} \right)^{12} - \left( \frac{\sigma}{r} \right)^{6} \right]$$
 (2)

Where the value of well depth  $\varepsilon$  ranges from 5.6 kJ/mol to 2.0 kJ/mol for which the interactions with strongly polar groups to polar and apolar groups.<sup>27</sup> The  $\sigma$  is the effective size for all normal particle types which is 0.47 nm.<sup>27</sup> For the special class of particles used for ring-like molecules the effective size is 0.43 nm.<sup>27</sup> And r is set to 1.2nm, which is the cut-off distance.<sup>27</sup>

In addition to the LJ interaction, charged groups (type Q) with a charge  $q_{ij}$  interact via a Coulombic energy function

$$V_{el} = \frac{q_i q_j}{4\pi\varepsilon_0 \varepsilon_{rel} r_{ij}} \tag{3}$$

The relative dielectric constant  $\varepsilon_{rel}$ = 15 for explicit screening.<sup>27</sup> The dielectric constant was set as 20 with reduced charges.<sup>29</sup> When dielectric constant at 20, the screening of the electrostatic interaction of the lipid heads groups well reproduce bilayer properties as a test example.<sup>29</sup> Now, the increase hydration strength of ions which in combination with reduced dielectric constant counteracts the effect. If the dielectric constant is too high, then the ions must have a very low charge to compensate for the effect. The cutoff distance  $r_{cut}$  is set at 1.2 nm.

The level of interactions between the different Coarse-Grained sites is summarized in Table (1) below.<sup>27</sup> Level of interaction indicates the well depth in the Leonard-Jones potential: O,  $\varepsilon = 5.6$  kJ/mol; I,  $\varepsilon = 5.0$  kJ/mol; II,  $\varepsilon = 4.5$  kJ/mol; III,  $\varepsilon = 4.0$  kJ/mol; IV,  $\varepsilon = 3.5$  kJ/mol; V,  $\varepsilon = 3.1$  kJ/mol; VI,  $\varepsilon = 2.7$  kJ/mol; VII,  $\varepsilon = 2.3$  kJ/mol; VIII,  $\varepsilon = 2.0$  kJ/mol; IX,  $\varepsilon = 2.0$  kJ/mol; Four different Coarse-Grained sites are considered: charged (Q), polar (P), nonpolar (N), apolar (C).<sup>27</sup> Subscripts are used to describe the chemical

nature where 0: no hydrogen-bonding capabilities; d, groups acting as hydrogen bond donor; a, groups acting as hydrogen bond acceptor; da, groups acting as both donor and acceptor. 1-5 indicated the increasing polarity affinity.<sup>27</sup>

Table (1) Level of interactions between the different Coarse-Grained sites.

			(	Q				P				1	V				С		
	sub	da	d	a	0	5	4	3	2	1	da	d	a	0	5	4	3	2	1
Q	da	O	О	O	II	0	O	O	I	I	I	I	I	ΙV	V	VI	VII	IX	IX
	d	O	I	O	II	O	O	O	I	Ι	Ι	III	Ι	IV	V	VI	VII	IX	IX
	a	O	O	I	II	O	O	O	I	I	I	I	Ш	IV	V	VI	VII	IX	IX
	0	II	II	II	IV	I	O	I	II	$\Pi I$	III	III	Ш	IV	V	VI	VII	IX	IX
P	5	O	O	O	I	O	O	O	O	O	I	I	I	IV	V	VI	VI	VII	VIII
	4	O	O	O	O	O	I	I	П	П	III	$\mathbf{III}$	Ш	IV	V	VI	VI	VII	VIII
	3	O	O	O	I	O	I	I	П	П	II	II	П	IV	IV	V	V	VI	VII
	2	I	I	I	II	O	II	II	П	П	$\mathbf{II}$	$\mathbf{II}$	П	$\mathbf{III}$	IV	IV	V	VI	VII
	1	I	I	I	III	O	II	II	П	П	II	II	П	$\mathbf{III}$	IV	IV	IV	V	VI
N	da	I	I	I	III	I	III	II	П	II	$\mathbf{II}$	II	П	IV	IV	V	VI	VI	VI
	d	I	III	I	$\mathbf{III}$	I	III	II	II	П	$\mathbf{II}$	$\mathbf{III}$	П	IV	IV	V	VI	VI	VI
	a	I	I	III	III	I	III	II	II	П	II	II	$\Pi I$	IV	IV	V	VI	VI	VI
	0	IV	IV	IV	IV	ΙV	IV	IV	III	Ш	IV	IV	IV	IV	IV	IV	IV	V	VI
C	5	V	V	V	V	V	V	IV	IV	IV	IV	IV	IV	IV	IV	IV	IV	V	V
	4	VI	VI	VI	VI	VI	VI	V	IV	IV	V	V	V	IV	IV	IV	IV	V	V
	3	VII	VII	VII	VII	VI	VI	V	V	IV	VI	VI	VI	IV	IV	ΙV	IV	IV	IV
	2	IX	IX	IX	IX	VΠ	VII	VI	VI	V	VI	VI	VI	V	V	V	IV	$\Gamma$ V	ΓV
	1	IX	IX	IX	IX	VIII	VIII	VII	VII	VI	VI	VI	VI	VI	V	V	ΙV	IV	IV

The bonded interactions for particles are interacted by the following set of potential functions:<sup>27</sup>

$$V_b = \frac{1}{2} K_b (d - d_b)^2 \tag{4}$$

$$V_a = \frac{1}{2} K_a [\cos(\varphi) - \cos(\varphi_a)^2]$$
 (5)

$$V_d = K_d[1 + \cos(n\psi - \psi_d)] \tag{6}$$

$$V_{id} = K_{id}(\psi - \psi_{id})^2 \tag{7}$$

Where  $V_b$  is bonded potential which is used for chemical bonded sites.  $K_b$ =1250 kJ/mol/ $nm^{-2}$  and  $d_b$ =0.47 nm.<sup>27</sup> The angle potential  $V_a$  represents chain stiffness.<sup>27</sup>  $K_a$ =25 kJ/mol with an equilibrium bond angle  $\varphi_a$ =180°.<sup>27</sup>  $V_{id}$  is used to prevent out-of-plane distortions of planar groups.<sup>27</sup>  $\psi$  is the angle between the planes constituted between atoms i,j,k and

j,k,l, with equilibrium angle  $\psi_{id}$  and force constant  $K_{id}$ .  $V_d$  stands for the proper dihedrals which are used to impose the secondary structure of the peptide backbone.<sup>27</sup> The force constants K are generally weak.<sup>27</sup> In Equation (4) where d stands for the distance between bonded sites and  $d_b$  denotes as equilibrium distance.<sup>27</sup>  $\varphi$ ,  $\varphi_a$  are the angles and  $\psi$ ,  $\psi_d$ ,  $\psi_{id}$  are the dihedral angles.<sup>27</sup>

All the twenty amino mapping schemes are shown in Figure (1). Both V6K2 and V6K3 are amphiphiles, where there is a hydrophilic part (lysine) of the peptide and the other is hydrophobic (valine). The VK combination is based on the existing computational result.<sup>31</sup>Valine is one of the most hydrophobic amino acids residues and lysine is one of the most hydrophilic amino acids residue. Hence, this combination can lead to a faster self-assembly process. The strategy of building CG scheme is based on Fig (1). The apolar amino acids (Leu, Pro, Ile, Val, Cys and Met) are represented as C-type particles.<sup>27</sup> The positively charged amino acids Arg and Lys are modeled by a combination of a Q-type particle.<sup>27</sup> The parameterizations of bond length, angles, improper dihedral angels are also included in Table (2)~(6).<sup>27</sup> Simulations were performed by using the GROMACS package (v5.1.4).

Table (2) Mapping of amino acids

	CG	mapping	free er (kJ/n	
side chain	representation	scheme*	CG	expti.
Leu	C1 <sup>b</sup>		22	22
lle	C15		22	22
Val	C2 <sup>b</sup>		20	17
Pro	C2 <sup>b</sup>		20	
Met	C5		9	10
Cys Ser	C5 P1		9 —11	-14
Thr	P1		-11	-11
Asn	P5		< -25	-28
Gin	P4		-23	-25
Asp	Qa		< -25	
Asp	P3		-18	-19
(uncharged)				
Glu	Qa.		< -25	
Glu	P1		-11	-11
(uncharged) Arg	N0-Qd	N0: Cβ-Cγ-	< -25	
Arg (uncharged)	N0-P4	Cδ-Nε Qd/P4: Cζ- Nω1-Nω2	-23	-25
Lys	C3-Qd	C3: Cβ- Cy-Cδ	< -25	
Lys (uncharged)	C3-P1	Qd/P1: Cr-No	-1	-2
His	SC4-SP1- SP1	SC4: Cβ- Cγ	-19	-20
Phe	SC4-SC4- SC4	SP1: Cδ-Nε SP1: Nδ-Cε SC4: Cβ- Cγ-Cδ1 SC4: Cδ2- Cε2 SC4: Cε1-	19	17
Туг	SC4-SC4- SP1	Cζ SC4: Cβ- Cγ-Cδ1 SC4: Cδ2- Cr2 SP1: Cε1-	-1	-2
Тгр	SC4-SP1- SC4-SC4	Cξ-OH SC4: Cβ- Cγ-Cδ2 SP1: Cδ1- Ne-Cε1 SC4: Cε2- Cξ2 SC4: Cε1- Cω	12	9

Table (3) Parameters for different types of backbone particle

backbone	coll bend free	helix	helix (N-terminus/C-terminus)	β-strand tum
backbone	P5	NO	Nd/Na	Nda
Gly	P5	NO	Nd/Na	Nda
Ala	P4	C5	NO NO	N0
Pro	Na	C5	N0/Na	NO

Table (4) Parameters for backbond bonded

backbone	d <sub>BB</sub>	K <sub>BB</sub> (kJ nm <sup>-2</sup> mol <sup>-1</sup> )	θ <sub>BBB</sub> (deg)	K <sub>BBB</sub> (kJ mol <sup>-1</sup> )	∲BBBB (deg)	K <sub>BBBB</sub> (kJ mol <sup>-1</sup> )
hellx	0.35	1250	96*	700	60	400
coll	0.35	200	127	25		
extended	0.35	1250	134	25	180	10
turn	0.35	500	100	25		
bend	0.35	400	130	25		

Table (5) Equilibrium bond length and force constants for each amino acid side chain

		2 4
side chain	d (nm)	K (kJ nm <sup>-2</sup> mol <sup>-1</sup> )
Leu	0.33	7500
lle	0.31	constraint
Val	0.265	constraint
Pro	0.30	7500
Met	0.40	2500
Cys	0.31	7500
Ser	0.25	7500
Thr	0.26	constraint
Asn	0.32	5000
Gln	0.4	5000
Asp	0.32	7500
Glu	0.4	5000
Arg d <sub>BS</sub>	0.33	5000
Arg d <sub>SS</sub>	0.34	5000
Lys d <sub>BS</sub>	0.33	5000
Lys d <sub>SS</sub>	0.28	5000
HIS OBS	0.32	7500
HIS d <sub>SS</sub>	0.27	constraint
Phe d <sub>BS</sub>	0.31	7500
Phe d <sub>SS</sub>	0.27	constraint
Tyr d <sub>BS</sub>	0.32	5000
Tyr dss	0.27	constraint
Trp d <sub>BS</sub>	0.3	5000
Trp d <sub>SS</sub>	0.27	constraint
Cys-Cys d <sub>S-S</sub>	0.39	5000

Table (6) Equilibrium angles, improper dihedral angles and force constants for side

chains

side chain	$\theta$ (deg)	K (kJ mol <sup>-1</sup> )
θ <sub>BBS</sub> (all)	100	25
$\theta_{BSS}$ (Lys, Arg)	180	25
$\theta_{\rm BSS}$ (HIs, Tyr, Phe)	150	50
$\theta_{\rm BSS}$ (Trp)	90, 210	50, 50
side chain	ψ (deg)	K (kJ rad <sup>-2</sup> mol <sup>-1</sup> )
ψ <sub>BSSS</sub> (His, Tyr, Phe)	0	50
ψBSSS (Trp)	0, 0	50, 200

For the polarizable water model, the Martini v2.2p coarse-grained (CG) force field is used for the polarizable water model system. <sup>31-32</sup> Both of the models ( $V_6K_2$ ,  $V_6K_3$ ) do not change when the polarizable water is used. Figure (2-a) shows the model of  $V_6K_2$  and (2-b) shows  $V_6K_3$ . Based on Martini mapping scheme Fig (1), each valine is represented by two coarse-grained beads and lysine is represented by three coarse-grained beads. Hence, for  $V_6K_2$ , there are 18 beads and 21 beads for  $V_6K_3$ . Fig (3-a) shows the chemical structure of valine and (3-b) shows the chemical structure of lysine. <sup>33-34</sup>

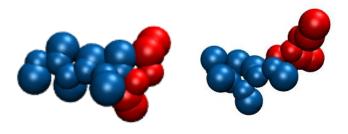


Fig 2-a  $V_6K_2$ ; Fig 2-b  $V_6K_3$ 

Fig 3-a Valine; Fig 3-b Lysine

### 2.2 Self-assembly of $V_6K_2$ and $V_6K_3$

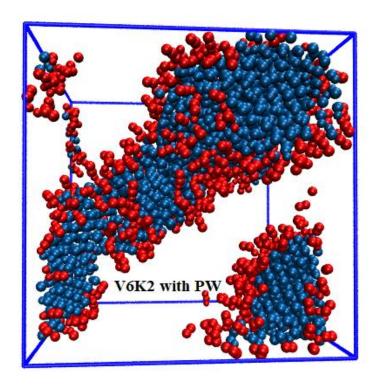
To investigate the products of  $V_6K_2$  and  $V_6K_3$  peptides via the self-assembly process, we need to pick up a suitable box size and a number of peptides to achieve the critical-micelle-concentration (CMC).<sup>35</sup> For  $V_6K_2$ , we use the (11 nm)<sup>3</sup> box and with 200  $V_6K_2$  peptides for our simulation. The CMC for  $V_6K_2$  is 0.33mM,<sup>35</sup> however, the system we used has been much higher concentration than the given value to accelerate the self-assembly process and decrease the cost and time spent in simulation.

#### 2.3 Modeling and parametrization of the system (polarizable)

For the polarizable water model, there are 200 capped  $V_6K_2$  peptides and 11300 water molecules. Since  $V_6K_2$  has two charged groups (Lys), the counterions are needed. In this case, it needs 400 counterions (CL-) to neutralize the system. The system is then energy minimized by using a steep descent integrator to remove inappropriate geometry (overlap) between the particles. Equilibration is performed for 1 ns after energy minimization where the timestep is 10 fs. The production simulation is performed after the system is well-equilibrated and ran for 8  $\mu$ s with a timestep of 8 fs.

The simulation is carried out in NPT ensemble (isothermal-isobaric). The temperature is maintained at 310K using velocity rescaling and the barostat is Berendsen.<sup>36</sup>

The constraint algorithm is LINCS. Figure (4-a) and (4-b) show the model of  $V_6K_2$  using polarizable water model.



 $\textit{Fig 4-a} \ 200 \ V_6 K_2 peptides \ with \ polarizable \ water \ model \ (front)$ 

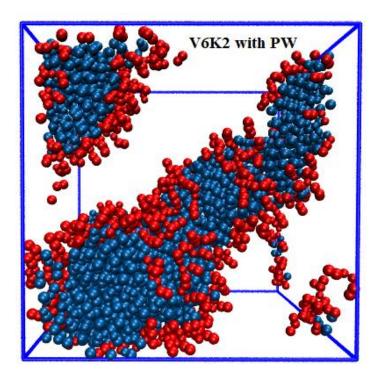


Fig 4-b 200  $V_6K_2$  peptides with polarizable water model (back)

# 2.3-1 Modeling and parametrization of the system (Non-polarizable)

For the non-polarizable water model, there are 200 capped  $V_6K_2$  peptides and 9106 water molecules. For this water model, the antifreeze particles should be added into the system to prevent the freezing phenomena in our system.<sup>29</sup> The anti-freeze particle is called Big  $P_4$ , which it disrupts the lattice packing of the normal  $P_4$  water beads. The Lenard Jones parameter  $\sigma$  of Big  $P_4$  is 0.57 nm.<sup>29</sup> Since  $V_6K_2$  has two charged groups (Lys), the counterions are needed. In this case, it needs 400 counterions (CL-) to neutralize the system. The ion particles are needed based on system dependent. There are several types of counterions such as sodium ion, chloride ion and choline ion. The ions in Martini Coarse Grained model are represented by Q type particles. However, the sodium ion is represented by Qd, chloride ion is represented by Qa and choline ion is represented by Q0 based on Table (1). In Martini Coarse Grained mapping scheme all beads have the same size.

inappropriate geometry (overlap) between the particles. Equilibration is performed for 1 ns after energy minimization where the timestep is 10 fs. The production simulation is performed after the system is well-equilibrated and ran for 8 µs with a timestep of 10 fs.

The simulation is carried out in NPT ensemble (isothermal-isobaric). The temperature is maintained at 310K. The barostat is Parrinello-Rahman.  $^{37-39}$ Figure (5-a) and (5-b) show the model of  $V_6K_2$  using non-polarizable water model.

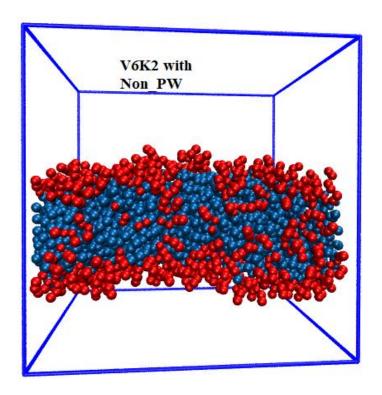


Fig 5-a 200  $V_6K_2$  peptides with non-polarizable water model

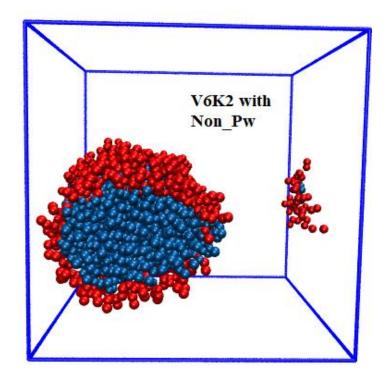


Fig 5-b 200  $V_6K_2$  peptides with non-polarizable water model

The non-polarizable water model clearly shows that there is only one solid-cored rod-like fibril.  $^{40-44}$  Baumann et al  $^{40-42}$  have revealed the secondary structure of  $V_6K_2$  by using circular dichroism spectroscopy and dimensions of the rod-like fibril which includes: radius, width and length by using AFM and TEM. Figure (6-c) and (6-d) shows the experimental results of  $V_6K_2$  peptides. Table (7) provides the dimension of the nanofibrils. Our simulation results are validated along with experimental results. We use Visual Molecular Dynamics (VMD) to calculate those criteria (radius, height and width). Each coarse-grained bead is located with a position (x,y,z) in the hypothetical coordinate system in VMD. By applying the distance formula, we can obtain the radius, height and width of the nanofibril structure. Calculating the magnitude of the length of our simulation result is not under consideration because the periodic imagine will repeat itself.

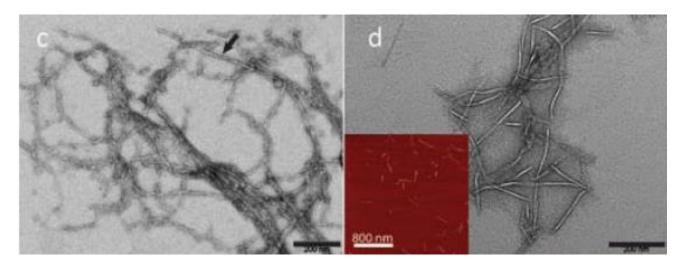


Fig 6-c,6-d experimental results for  $V_6K_2$  peptides

**Table** (7) Dimensions of  $V_6K_2$  peptides formed nanofibrils

peptide	measured width	measured height	bulk radius
amphiphile	(nm)	(nm)	(nm)
V6K2	13	2.2	3.0

The reproducibility of the non-polarizable water model is much better than the polarizable water model. Nine of the ten independent seeds simulations show that the rod-like fibril can be found in the non-polarizable water model. Also, the non-polarizable water model is much cheaper than the polarizable water model in simulation cost. Hence, the non-polarizable water model is the better choice than the polarizable water model in this project. The secondary structure of the peptide has two versions: beta-sheet and coil. We choose to use the beta-sheet version because the coil version of the peptide doesn't show any favorable result in this work.<sup>44</sup>

#### **Chapter 3 Modeling Mixture Systems**

### 3.1 Introduction for $V_6K_2$ And $V_6K_3$ Mixture Systems

As mentioned in the previous chapter, we use the non-polarizable water model for further investigation due to the reproducibility and computational cost. In this chapter, we will investigate the  $V_6K_2$  and  $V_6K_3$  peptides with the non-polarizable water model in the selected box size for the mixture systems.

# 3.1.1 Modeling Mixture Systems for $V_6K_2$ And $V_6K_3$ in One Total Peptide Concentration

The MARTINI Coarse Grained Forcefield (v2.2) is used to study the mixture systems. We use only one total peptide concentration that we are investigated in this chapter. Firstly, we scale up a system that has the same peptide concentration in analogy to the  $(11 \text{ nm})^3$  cubic box system with  $200 V_6 K_2$  peptides  $(0.150 \text{ peptides/nm}^3)$ . We examined several box sizes with a range from  $(15 \text{ nm})^3$  to  $(17 \text{ nm})^3$  with three independents particle trajectories of each box size.

In  $(15 \text{ nm})^3$ box, for example, we firstly insert 520 capped at C terminus with and N terminus of  $V_6K_2$  peptides into the box and then the system is solvated with 25248 water molecules. For this water model, 2681 antifreeze particles should be added into the system to prevent the freezing phenomena in our system.<sup>27</sup> Since $V_6K_2$  has two charged groups

(Lys), 1040 counterions (CL-) are needed to neutralize the system. The system is then energy minimized by using a steep descent integrator to remove inappropriate geometry (overlap) between the particles. Equilibration is performed for 1 ns after energy minimization where the timestep is 10 fs. The production simulation is performed after the system is well-equilibrated and ran for 8 μs with a timestep of 8 fs. The simulation is carried out in NPT ensemble (isothermal-isobaric). The temperature is maintained at 310K. The barostat is Parrinello-Rahman.<sup>37-39</sup>

In  $(16 \text{ nm})^3$ box, for example, we firstly insert 650 capped at C terminus with and N terminus of  $V_6K_2$  peptides into the box and then the system is solvated with 30468 water molecules. For this water model, 3242 antifreeze particles should be added into the system to prevent the freezing phenomena in our system. <sup>27</sup> Since $V_6K_2$  has two charged groups (Lys), 1300 counterions (CL-) are needed to neutralize the system. The system is then energy minimized by using a steep descent integrator to remove inappropriate geometry (overlap) between the particles. Equilibration is performed for 1 ns after energy minimization where the timestep is 10 fs. The production simulation is performed after the system is well-equilibrated and ran for 8  $\mu$ s with a timestep of 8 fs. The simulation is carried out in NPT ensemble (isothermal-isobaric). The temperature is maintained at 310K. The barostat is Parrinello-Rahman. <sup>37-39</sup>

In  $(16.5 \text{ nm})^3$ box, for example, we firstly insert 650 capped at C terminus with and N terminus of  $V_6K_2$  peptides into the box and then solvated with 33941 water molecules. For this water model, 3589 antifreeze particles should be added into the system to prevent the freezing phenomena in our system.<sup>27</sup> Since  $V_6K_2$  has two charged groups (Lys), 1300

counterions (CL-) are needed to neutralize the system. The system is then energy minimized by using a steep descent integrator to remove inappropriate geometry (overlap) between the particles. Equilibration is performed for 1 ns after energy minimization where the timestep is 10 fs. The production simulation is performed after the system is well-equilibrated and ran for 8  $\mu$ s with a timestep of 8 fs. The simulation is carried out in NPT ensemble (isothermal-isobaric). The temperature is maintained at 310K. The barostat is Parrinello-Rahman.<sup>37-39</sup>

In  $(17 \text{ nm})^3$ box, for example, we firstly insert 650 capped at C terminus with and N terminus of  $V_6K_2$  peptides into the box and then solvated with 37132 water molecules. For this water model, 3908 antifreeze particles should be added into the system to prevent the freezing phenomena in our system.<sup>27</sup> Since  $V_6K_2$  has two charged groups (Lys), 1300 counterions (CL-) are needed to neutralize the system. The system is then energy minimized by using a steep descent integrator to remove inappropriate geometry (overlap) between the particles Equilibration is performed for 1 ns after energy minimization where the timestep is 10 fs. The production simulation is performed after the system is well-equilibrated and ran for 8  $\mu$ s with a timestep of 8 fs. The simulation is carried out in NPT ensemble (isothermal-isobaric). The temperature is maintained at 310K. The barostat is Parrinello-Rahman.<sup>37-39</sup>

To prevent periodic artifacts, the box size should be large enough for both  $V_6K_2$  and  $V_6K_3$  peptides in the mixture system. If the box size is too small, then the structure itself may interact with its image in a neighboring box. Therefore, the  $(17 \text{ nm})^3$ box with 650  $V_6K_2$  peptides  $(0.132 \text{ peptides}/nm^3)$  system represents the most favorable result (rod-like

fibril structures) as shown in the figure below. We will build up 11 relative peptide concentrations (ranging from 0% to 100%) systems based upon this box size and total peptide concentration for further investigation and analysis.

The number of peptides, water molecules and anti-freeze particles that needed for each system are represented as a summary in Table (8) below. Figure (7-a) and (7-b) show the the nanofibril structure in the (17 nm)<sup>3</sup> system.

**Table** (8) Summaries of different scale-up  $V_6K_2$  peptide systems.

Size of the System $(nm^3)$	15	16	16.5	17
Numbers of Peptide	520	650	650	650
Peptide Concentration	0.1540	0.1586	0.1447	0.1323
Water Molecules (W)	25248	30468	33941	37132
Anti-Freeze Particles (WF)	2681	3242	3589	3908
Counterions (CL-)	1040	1300	1300	1300

Figure (7-a)  $(17 \text{ nm})^3$  with 650  $V_6K_2$  peptides system.

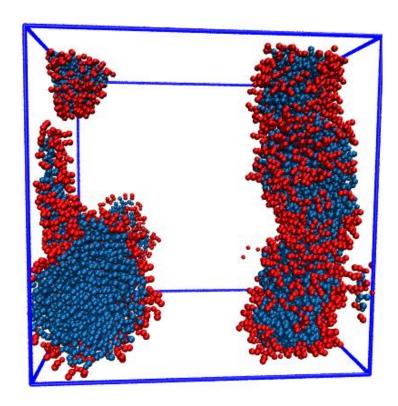
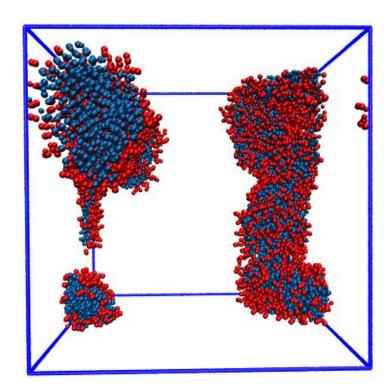


Figure (7-b)  $(17 \text{ nm})^3$  cubic with 650  $V_6K_2$  peptides system.



## 3.1.2 Introduction for $V_6K_2$ And $V_6K_3$ Mixture System in

### **Relative Peptide Concentration Composition**

Based upon what we discussed in the previous section, we will use this one total peptide concentration ( $(17 \text{ nm})^3$  box with 650  $V_6K_2$  peptides system) to build up 11 relative peptide concentrations mixture systems. The composition of the relative peptide concentrations mixture systems which are ranging from 0% to 100%. Ten independent particle trajectories are performed for each of the mixture systems, therefore, 110 simulations are studied in the later chapter.

# 3.1.3 Modeling Each Mixture System for $V_6K_2$ And $V_6K_3$ In Relative Peptide Concentration Composition

The MARTINI Coarse Grained Forcefield (v2.2) is used to study all the mixture systems in relative peptide concentration composition. For pure  $V_6K_2$  system, which means the system only has one composition ((17 nm)<sup>3</sup> with 650  $V_6K_2$  peptides system). On the other hand, the pure  $V_6K_3$  system which implies there is no any  $V_6K_2$  peptide in the system (0%  $V_6K_2$ ).

The methodology to build up each of the mixture systems is the same but based on different compositions of  $V_6K_2$  and  $V_6K_3$ , the number of counter ions (CL-) will be different since  $V_6K_2$  and  $V_6K_3$  have the different numbers of lysine.

First, we will discuss how we build up the  $10\% V_6K_2$  system. In the  $(17 \text{ nm})^3$  box, we firstly insert 65 capped at C terminus and N terminus of  $V_6K_2$  peptides and then insert 585 capped at C terminus and N terminus of  $V_6K_3$  peptides into the box. This system is then solvated with 36033 water molecules. Moreover, 1885 counter ions (CL-) are needed to neutralize the system. Since we are using the non-polarizable water model, 3857 anti-freeze particles are needed to prevent freezing phenomena. The system is then energy minimized by using a steep descent integrator to remove inappropriate geometry (overlap) between the particles. Equilibration is performed for 1 ns after energy minimization where the timestep is 10 fs. The production simulation is performed after the system is well-equilibrated and ran for 8  $\mu$ s with a timestep of 8 fs. The simulation is carried out in NPT

ensemble (isothermal-isobaric). The temperature is maintained at 310K. The barostat is Parrinello-Rahman.<sup>37-39</sup>

Second, we will talk about how we build up the 20%  $V_6K_2$  system. In the  $(17 \text{ nm})^3$  cubic box, we firstly insert 130 capped at C terminus and N terminus of  $V_6K_2$  peptides and then insert 520 capped at C terminus and N terminus of  $V_6K_3$  peptides into the box. This system is then solvated with 36271 water molecules. Moreover, 1820 counter ions (CL-) are needed to neutralize the system. Since we are using the non-polarizable water model, 3874 anti-freeze particles are needed to prevent freezing phenomena.<sup>27</sup> The system is then energy minimized by using a steep descent integrator to remove inappropriate geometry (overlap) between the particles. Equilibration is performed for 1 ns after energy minimized with the timestep is 10 fs. The production simulation is performed after the system is well-equilibrated and ran for 8  $\mu$ s with a timestep of 8 fs. The simulation is carried out in NPT ensemble (isothermal-isobaric). The temperature is maintained at 310K. The barostat is Parrinello-Rahman.<sup>37-39</sup>

Third, the way to set up the 30%  $V_6K_2$  system is that we firstly insert 195 capped at C terminus and N terminus of  $V_6K_2$  peptides into the  $(17 \text{ nm})^3$  box and then insert 455 capped at C terminus and N terminus of  $V_6K_3$  peptides into the system. This system is then solvated with 36279 water molecules. Moreover, 1755 counter ions (CL-) are needed to neutralize the system. The non-polarizable water model is used therefore 3868 anti-freeze particles are needed in this system to prevent freezing phenomena.<sup>27</sup> The system is then energy minimized by using a steep descent integrator to remove inappropriate geometry

(overlap) between the particles. Equilibration is performed for 1 ns after energy minimization where the timestep is 10 fs. The production simulation is performed after the system is well-equilibrated and ran for 8 μs with a timestep of 8 fs. The simulation is carried out in NPT ensemble (isothermal-isobaric). The temperature is maintained at 310K. The barostat is Parrinello-Rahman.<sup>37-39</sup>

Fourth, for the 40%  $V_6K_2$  system, we firstly insert 260 capped at C terminus and N terminus of  $V_6K_2$  peptides into the (17 nm)<sup>3</sup>box and then insert 390 capped at C terminus and N terminus of  $V_6K_3$  peptides into the system. This system requires 36496 water molecules to solvate the system. Moreover, 1690 counter ions (CL-) are needed to neutralize the system. To prevent freezing phenomena<sup>27</sup>, 3884 anti-freeze particles are needed. The system is then energy minimized by using a steep descent integrator to remove inappropriate geometry (overlap) between the particles. Equilibration is performed for 1 ns after energy minimization where the timestep is 10 fs. The production simulation is performed after the system is well-equilibrated and ran for 8  $\mu$ s with a timestep of 8 fs. The simulation is carried out in NPT ensemble (isothermal-isobaric). The temperature is maintained at 310K. The barostat is Parrinello-Rahman.<sup>37-39</sup>

Fifth, for 50%  $V_6K_2$  system, we firstly insert 325 capped at C terminus and N terminus of  $V_6K_2$  peptides into the (17 nm)<sup>3</sup>box and then we insert 325 capped at C terminus and N terminus of  $V_6K_3$  peptides into the system. The system is solvated with 36525 water molecules. This system requires 1625 counter ions (CL-) to neutralize the system. To prevent freezing phenomena<sup>27</sup>, 3880 anti-freeze particles are added into the system. The

system then energy minimized by using a steep descent integrator to remove inappropriate geometry (overlap) between the particles. Equilibration is performed for 1 ns after energy minimization where the timestep is 10 fs. The production simulation is performed after the system was well-equilibrated and ran for 8 µs with a timestep of 8 fs. The simulation is carried out in NPT ensemble (isothermal-isobaric). The temperature is maintained at 310K. The barostat is Parrinello-Rahman.<sup>37-39</sup>

Sixth, for 60%  $V_6K_2$  system, 390 capped at C terminus and N terminus of  $V_6K_2$  peptides are firstly inserted into the  $(17 \text{ nm})^3$ box and then we insert 260 capped at C terminus and N terminus of  $V_6K_3$  peptides into the system. In this system, we will need 36765 water molecules to solvate the system and the system also needs 1560 counter ions (CL-) to neutralize the positive charge that provided from lysine. To prevent freezing phenomena in the system<sup>27</sup>, 3898 anti-freeze particles are added into the system. The system is then energy minimized by using a steep descent integrator to remove inappropriate geometry (overlap) between the particles. Equilibration is performed for 1 ns after energy minimization where the timestep is 10 fs. The production simulation is performed after the system was well-equilibrated and ran for 8  $\mu$ s with a timestep of 8 fs. The simulation is carried out in NPT ensemble (isothermal-isobaric). The temperature is maintained at 310K. The barostat is Parrinello-Rahman.<sup>37-39</sup>

Seventh, for 70 %  $V_6K_2$  system, we firstly insert 455 capped at C terminus and N terminus of  $V_6K_2$  peptides into the (17 nm)<sup>3</sup>box and then we insert 195  $V_6K_3$  peptides that

capped at C terminus and N terminus of into the system. The system is solvated with 36781 water molecules. It requires 1495 counter ions (CL-) to neutralize the system. To prevent freezing phenomena in the system<sup>27</sup>, 3893 anti-freeze particles are needed to add to the system. The system is then energy minimized by using a steep descent integrator to remove inappropriate geometry (overlap) between the particles. Equilibration is performed for 1 ns after energy minimization where the timestep is 10 fs. The production simulation is performed after the system is well-equilibrated and ran for 8 µs with a timestep of 8 fs. The simulation is carried out in NPT ensemble (isothermal-isobaric). The temperature is maintained at 310K. The barostat is Parrinello-Rahman.<sup>37-39</sup>

Eighth, for 80%  $V_6K_2$  system, 520 capped at C terminus and N terminus of  $V_6K_2$  peptides are inserted into the  $(17 \text{ nm})^3$  box and then we insert 130 capped at C terminus and N terminus of  $V_6K_3$  peptides into the system. The system is then solvated with 36973 water molecules. In this system, we will need 1430 counter ions (CL-) to neutralize the system. To prevent the freezing phenomena, 3905 anti-freeze particles are added into the system.<sup>27</sup> The system is then energy minimized by using a steep descent integrator to remove inappropriate geometry (overlap) between the particles. Equilibration is performed for 1 ns after energy minimization where the timestep is 10 fs. The production simulation is performed after the system is well-equilibrated and ran for 8  $\mu$ s with a timestep of 8 fs. The simulation is carried out in NPT ensemble (isothermal-isobaric). The temperature is maintained at 310K. The barostat is Parrinello-Rahman.<sup>37-39</sup>

Ninth, for 90%  $V_6K_2$  system, 585 capped at C terminus and N terminus of  $V_6K_2$  peptides are inserted into the  $(17 \text{ nm})^3$  box and then we insert 65 capped at C terminus and N terminus of  $V_6K_3$  peptides into the system. The system is then solvated with 37058 water molecules. In this system, we will need 1365 counter ions (CL-) to neutralize the system. To prevent the freezing phenomena, 3907 anti-freeze particles are added into the system. The system is then energy minimized by using a steep descent integrator to remove inappropriate geometry (overlap) between the particles. Equilibration is performed for 1 ns after energy minimization where the timestep is 10 fs. The production simulation is performed after the system is well-equilibrated and ran for 8  $\mu$ s with a timestep of 8 fs. The simulation is carried out in NPT ensemble (isothermal-isobaric). The temperature is maintained at 310K. The barostat is Parrinello-Rahman.  $^{37-39}$ 

Tenth, for 100%  $V_6K_2$  system, 650 capped at C terminus and N terminus of  $V_6K_2$  peptides are inserted into the  $(17 \text{ nm})^3$  box. The system is then solvated with 37132 water molecules. In this system, we will need 1300 counter ions (CL-) to neutralize the system. To prevent the freezing phenomena, 3908 anti-freeze particles are added into the system. The system is then energy minimized by using a steep descent integrator to remove inappropriate geometry (overlap) between the particles. Equilibration is performed for 1 ns after energy minimization where the timestep is 10 fs. The production simulation is performed after the system is well-equilibrated and ran for 8  $\mu$ s with a timestep of 8 fs. The simulation is carried out in NPT ensemble (isothermal-isobaric). The temperature is maintained at 310K. The barostat is Parrinello-Rahman. The system is a carried out in NPT ensemble (isothermal-isobaric).

Eleventh, for 0%  $V_6K_2$  system (pure  $V_6K_3$ ), 650 capped at C terminus and N terminus of  $V_6K_3$  peptides are inserted into the  $(17 \text{ nm})^3$  box. The system is then solvated with 35942 water molecules. In this system, we will need 1950 counter ions (CL-) to neutralize the system. To prevent the freezing phenomena, 3854 anti-freeze particles are added into the system.<sup>27</sup> The system is then energy minimized by using a steep descent integrator to remove inappropriate geometry (overlap) between the particles. Equilibration is performed for 1 ns after energy minimization where the timestep is 10 fs. The production simulation is performed after the system is well-equilibrated and ran for 8  $\mu$ s with a timestep of 8 fs. The simulation is carried out in NPT ensemble (isothermal-isobaric). The temperature is maintained at 310K. The barostat is Parrinello-Rahman.<sup>37-39</sup>

The number of peptides, water molecules and anti-freeze particles that needed for each system are represented as a summary table in the Table (9) below.

**Table (9)** Summaries of different  $V_6K_2$  peptide mixture systems with one total peptide concentration.

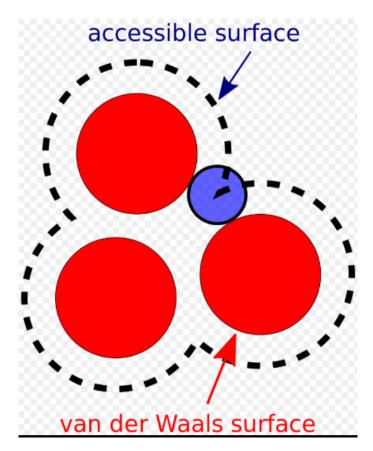
Composition	Number of	Number of	Number of	Number	Number
Of $V_6K_2$	$V_6K_2$ Peptides	$V_6K_3$ Peptides	Water	of Anti-	of
			Molecules	Freeze	Counter
				Particles	ions
					(CL-)
$100\%V_6K_2$	650	0	37132	3908	1300
$90\%V_6K_2$	585	65	37058	3907	1365
$80\%V_6K_2$	520	130	36973	3905	1430
$70\%V_6K_2$	455	195	36781	3893	1495
$60\%V_6K_2$	390	260	36765	3898	1560
$50\%V_6K_2$	325	325	36525	3880	1625
$40\%V_6K_2$	260	390	36496	3884	1690
$30\%V_6K_2$	195	455	36279	3868	1755
$20\%V_6K_2$	130	520	36271	3874	1820
$10\%V_6K_2$	65	585	36033	3857	1885
0%V <sub>6</sub> K <sub>2</sub>	0	650	35942	3854	1950

#### **Chapter 4 Results and Discussion**

### 4.1 Introduction of Solvent Accessible Surface Area For $V_6K_2$ And $V_6K_3$ Mixture Systems

Solvent Accessible Surface Area (SASA) means the surface area of a biomolecule that can be accessible by the solvent molecule. The mechanism of the surface accessible surface area is that the orbit of the center of the solvent molecule rolls over the van der Waals surface of a biomolecule.<sup>46</sup> The analysis tool of solvent accessible surface area for each of the mixture system is based on using the GROMACS v5.1.4 package. The Figure (8) below shows the mechanism of solvent accessible surface area.<sup>47</sup>

Figure (8) Mechanism of solvent accessible surface area.



### 4.1.1 The Solvent Accessible Surface Area Analysis For $V_6K_2$ And $V_6K_3$ Mixture Systems

For analysis of the solvent accessible surface area, we will need to use the files that have been performed after 8  $\mu$ s simulation. The input files which are used for this analysis are trajectory files, the final configuration file and the index files for the peptide group of the system. We will study the last 400 ns trajectories of the peptide system to analyze all the peptide mixture systems since at that time range the structures of the peptide are stable. The analysis of each group with 10 independent trajectories are performed. Hence, the average and standard deviation will also be calculated and included in the discussion which shows in the Table (10) and Figure (9) below. Based on the Table (10) and Figure (9), the surface accessible surface area increased as the composition of  $V_6K_3$  increased since  $V_6K_3$  peptide has a larger head group than the  $V_6K_2$  peptide. Hence, the surface accessible surface area will increase. Figure (9) and Table (10) below shows the summary of all mixture systems. In Figure (9), the error bars which parallel to the y-axis on the solvent accessible surface area bars show the variation of the solvent accessible surface area of each mixture system.

Figure (9) Summaries of the solvent accessible surface area of each peptide system.

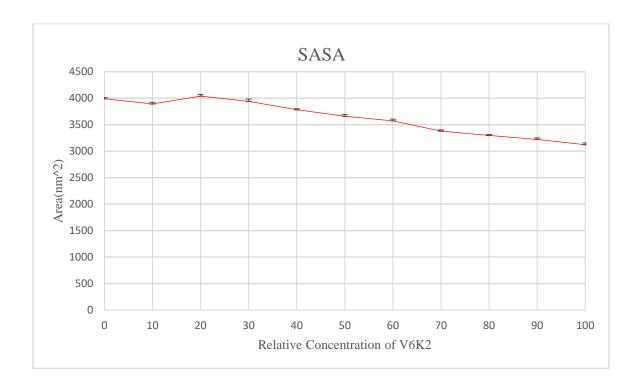


Table (10) Summaries of the solvent accessible surface area of each peptide system.

Relative concentration of $V_6K_2$	Solvent Accessible Surface Area (nm²)
100%V <sub>6</sub> K <sub>2</sub>	3122.016
90%V <sub>6</sub> K <sub>2</sub>	3222.201
80%V <sub>6</sub> K <sub>2</sub>	3295.868
70%V <sub>6</sub> K <sub>2</sub>	3377.916
60%V <sub>6</sub> K <sub>2</sub>	3573.371
50%V <sub>6</sub> K <sub>2</sub>	3658.359
40%V <sub>6</sub> K <sub>2</sub>	3782.326
30%V <sub>6</sub> K <sub>2</sub>	3939.299
20%V <sub>6</sub> K <sub>2</sub>	4038.834
10%V <sub>6</sub> K <sub>2</sub>	3890.787
$0\%V_6K_2$	3987.983

### 4.2 Introduction of Line Tension For $V_6K_2$ And $V_6K_3$ Mixture Systems

Line tension was first described by J.W.Gibbs in his well-known work "On the Equilibrium of Heterogeneous Substances". Line tension is defined as the three-phase contact along a line and it may have a negative value.<sup>48</sup> On the other hand, surface tension is defined as the two-phase contact.<sup>48</sup> We will use line tension to investigate the phase separation of the peptide mixture systems.

### 4.2.1 Line Tension Calculation For $V_6K_2$ And $V_6K_3$ Mixture Systems

To estimate the line tension, we might consider there are two different types of molecules (A, B) in the domain boundary and it can be described by Equation (8) (9) where  $\lambda$  is line tension, l is the characteristic length of the molecule. All is defined as the difference in interaction energies between pair interactions of molecule AA, BB and AB. Based on the definition of the line tension, the investigations of the line tension for the pure  $V_6K_2$  and pure  $V_6K_3$  do not provide the physical meaning.

$$\lambda \cong \Delta U/l \tag{8}$$

$$\Delta U = \left[\frac{1}{2} (U_{AA} + U_{BB}) - U_{AB}\right]$$
 (9)

To obtain the characteristic length of the molecule, we need to combine the results from the previous section where we discuss the solvent accessible surface area. Firstly, we assume all the peptides in the system are at the surface of the supramolecular structure. Since all the peptides are all at the surface of the structure, we use the solvent accessible surface area that divided by the total number of the peptides to know how much area is occupied by each of the peptide molecule. Therefore, we can obtain the characteristic length. We can use the 90%  $V_6K_2$  and 10%  $V_6K_3$  system as an example.

The solvent accessible surface area for 90%  $V_6K_2$  and 10%  $V_6K_3$  system is 3222.201  $nm^2$ . There are 585  $V_6K_2$  and 65  $V_6K_3$  peptides in the system. Hence, we can do the characteristic length calculation as the followings,

$$\frac{3222.201(nm^2)}{650} = \frac{1}{4}\pi l^2$$

l which is the characteristic length can be obtained as 2.512 nm for 90%  $V_6K_2$  system. Table (11) summarized the characteristic length of each of the mixture system.

*Table (11)* Summaries the characteristic length of each peptide system.

Mixture Systems	Characteristic length (nm)
$100\%V_{6}K_{2}$	2.472
$90\%V_6K_2$	2.512
$80\%V_6K_2$	2.540
$70\%V_6K_2$	2.572
$60\%V_6K_2$	2.652
$50\%V_6K_2$	2.682
$40\%V_6K_2$	2.721
$30\%V_6K_2$	2.777
$20\%V_6K_2$	2.812
$10\%V_6K_2$	2.760

Since we have the characteristic length of each mixture system, we will need the interaction energy of pair molecules AA, BB and AB. The interaction energy is obtained by using the GROMACS v5.1.4 package.

In the mixture system, there are several different types of molecules such as  $V_6K_2$  peptides,  $V_6K_3$  peptides, water molecules, anti-freeze particles and counter ions. In the

line tension calculation,  $V_6K_2$  peptide is represented by A molecule and  $V_6K_3$  peptide is represented by B molecule.

For the 90%  $V_6K_2$  system, when we calculate the pair interaction energy of group A ( $V_6K_2$  peptides), we firstly should exclude the rest of the molecules ( $V_6K_3$  peptides, counterions, water molecules and anti-freeze particles) which we will need index file of the group A, final configuration file and the trajectory file of the system. After we obtain the system with only group A ( $V_6K_2$  peptides), we can use this system to create an energy file to obtain the interaction energy  $U_{AA}$  by using GROMACS v5.1.4. We use the same methodology to calculate the other group B ( $V_6K_3$  peptides). Firstly, we create an index file of the group B and we also need the final configuration file and the final trajectory file of the system. Then, we can use this system which only contains group B to create an energy file and obtain the interaction energy  $U_{BB}$  by using GROMACS v5.1.4.

To calculate  $U_{AB}$ , we will follow the equation below where  $U_T$  means the total interaction energy of group A ( $V_6K_2$  peptides), group B ( $V_6K_3$  peptides) and the interaction energy between group A ( $V_6K_2$  peptides) and group B ( $V_6K_3$  peptides).

$$U_T = U_{AA} + U_{BB} + U_{AB} (10)$$

To calculate  $U_T$ , we will need to create an index file that contains group A ( $V_6K_2$  peptides) and group B ( $V_6K_3$  peptides). We will also need the final configuration file and final trajectory file of the system. Then, we can use this system which contains group A ( $V_6K_3$  peptides) and group B ( $V_6K_3$  peptides) to create an energy file to obtain the

interaction energy  $U_T$  by using GROMACS v5.1.4. By subtracting the pair interaction energy  $U_{AA}$  and  $U_{BB}$  with  $U_T$ , we will obtain  $U_{AB}$  for our line tension calculation. And we will use the same method to calculate the rest of the mixture system.

For the  $80\%V_6K_2$  system, to calculate the pair interaction energy of group A ( $V_6K_2$  peptides), we firstly exclude the rest of the molecules ( $V_6K_3$  peptides, counterions, water molecules and anti-freeze particles) in the system which we will need index file of the group A, final configuration file and the trajectory file of the system. After we obtain the system with only group A ( $V_6K_2$  peptides), we can use this system to create an energy file to obtain the interaction energy  $U_{AA}$  by using GROMACS v5.1.4. We use the same methodology to calculate the other group B ( $V_6K_3$  peptides). Firstly, we create an index file of the group B and we also need the final configuration file and the final trajectory file of the system. Then, we can use this system which only contains group B to create an energy file and obtain the interaction energy  $U_{BB}$  by using GROMACS v5.1.4.

To calculate  $U_{AB}$ , we will follow the Equation (10). To obtain  $U_T$ , we will need to create an index file that contains group A ( $V_6K_2$  peptides) and group B ( $V_6K_3$  peptides). We will also need the final configuration file and final trajectory file of the system. Then, we can use this system which contains group A ( $V_6K_3$  peptides) and group B ( $V_6K_3$  peptides) to create an energy file to obtain the interaction energy  $U_T$  by using GROMACS v5.1.4. By subtracting the pair interaction energy  $U_{AA}$  and  $U_{BB}$  with  $U_T$ , we will obtain  $U_{AB}$  for our line tension calculation of this system.

For the  $70\%V_6K_2$  system, to calculate the pair interaction energy of group A ( $V_6K_2$  peptides), we firstly exclude the rest of the molecules ( $V_6K_3$  peptides, counterions, water molecules and anti-freeze particles) in the system which we will need index file of the group A, final configuration file and the trajectory file of the system. After we obtain the system with only group A ( $V_6K_2$  peptides), we can use this system to create an energy file to obtain the interaction energy  $U_{AA}$  by using GROMACS v5.1.4. We use the same methodology to calculate the other group B ( $V_6K_3$  peptides). Firstly, we create an index file of the group B and we will also need the final configuration file and the final trajectory file of the system. Then, we can use this system which only contains group B to create an energy file and obtain the interaction energy  $U_{BB}$  by using GROMACS v5.1.4.

To calculate  $U_{AB}$ , we will follow the Equation (10). To obtain  $U_T$ , we will need to create an index file that contains group A ( $V_6K_2$  peptides) and group B ( $V_6K_3$  peptides). We will also need the final configuration file and final trajectory file of the system. Then, we can use this system which contains group A ( $V_6K_3$  peptides) and group B ( $V_6K_3$  peptides) to create an energy file to obtain the interaction energy  $U_T$  by using GROMACS v5.1.4. By subtracting the pair interaction energy  $U_{AA}$  and  $U_{BB}$  with  $U_T$ , we will obtain  $U_{AB}$  for our line tension calculation of this system.

For the  $60\%V_6K_2$  system, to calculate the pair interaction energy of group A ( $V_6K_2$  peptides), we firstly screen out the rest of the molecules ( $V_6K_3$  peptides, counterions, water molecules and anti-freeze particles) in the system which we will need index file of the group A, final configuration file of the system and the trajectory file of the system. After we obtain the system with only group A ( $V_6K_2$  peptides), we can use this system to create

an energy file to obtain the interaction energy  $U_{AA}$  by using GROMACS v5.1.4. We use the same methodology to calculate the other group B ( $V_6K_3$  peptides). Firstly, we create an index file of the group B and we also need the final configuration file and the final trajectory file of the system. Then, we can use this system which only contains group B to create an energy file and obtain the interaction energy  $U_{BB}$  by using GROMACS v5.1.4.

To calculate  $U_{AB}$ , we will follow the Equation (10). To obtain  $U_T$  which we will need to create an index file that contains group A ( $V_6K_2$  peptides) and group B ( $V_6K_3$  peptides). The final configuration file and final trajectory file of the system are needed. Then, we can use this system which contains group A ( $V_6K_3$  peptides) and group B ( $V_6K_3$  peptides) to create an energy file to obtain the interaction energy  $U_T$  by using GROMACS v5.1.4. By subtracting the pair interaction energy  $U_{AA}$  and  $U_{BB}$  with  $U_T$ , we will obtain  $U_{AB}$  for our line tension calculation of this system.

For the  $50\% V_6 K_2$  system, to calculate the pair interaction energy of group A ( $V_6 K_2$  peptides), we firstly rule out the rest of the molecules ( $V_6 K_3$  peptides, counterions, water molecules and anti-freeze particles) in the system which we will need index file of the group A, final configuration file of the system and the trajectory file of the system. After we obtain the system with only group A ( $V_6 K_2$  peptides), we can use this system to create an energy file to obtain the interaction energy  $U_{AA}$  by using GROMACS v5.1.4. We use the same methodology to calculate the other group B ( $V_6 K_3$  peptides). We create an index file of the group B which we need the final configuration file and the final trajectory file

of the system. Then, we can use this system which only contains group B to create an energy file and obtain the interaction energy  $U_{BB}$  by using GROMACS v5.1.4.

To calculate  $U_{AB}$ , we will follow the Equation (10). To obtain  $U_T$ , we will need to create an index file that contains group A ( $V_6K_2$  peptides) and group B ( $V_6K_3$  peptides). We will also need the final configuration file and final trajectory file of the system. Then, we can use this system which contains group A ( $V_6K_3$  peptides) and group B ( $V_6K_3$  peptides) to create an energy file to obtain the interaction energy  $U_T$  by using GROMACS v5.1.4. By subtracting the pair interaction energy  $U_{AA}$  and  $U_{BB}$  with  $U_T$ , we will obtain  $U_{AB}$  for our line tension calculation of this system.

For the  $40\%V_6K_2$  system, to calculate the pair interaction energy of group A ( $V_6K_2$  peptides), we firstly screen out the rest of the molecules ( $V_6K_3$  peptides, counterions, water molecules and anti-freeze particles) in the system which we will need index file of the group A, final configuration file and the trajectory file of the system. After we obtain the system with only group A ( $V_6K_2$  peptides), we can use this system to create an energy file to obtain the interaction energy  $U_{AA}$  by using GROMACS v5.1.4. We use the same methodology to calculate the other group B ( $V_6K_3$  peptides). Firstly, we create an index file of the group B and we also need the final configuration file and the final trajectory file of the system. Then, we can use this system which only contains group B to create an energy file and obtain the interaction energy  $U_{BB}$  by using GROMACS v5.1.4.

To calculate  $U_{AB}$ , we will follow the equation (10). We will need to create an index file that contains group A ( $V_6K_2$  peptides) and group B ( $V_6K_3$  peptides) to obtain  $U_T$ . The final configuration file and final trajectory file of the system are needed. Then, we can use this system which contains group A ( $V_6K_3$  peptides) and group B ( $V_6K_3$  peptides) to create an energy file to obtain the interaction energy  $U_T$  by using GROMACS v5.1.4. By subtracting the pair interaction energy  $U_{AA}$  and  $U_{BB}$  with  $U_T$ , we will obtain  $U_{AB}$  for our line tension calculation of this system.

For the  $30\%V_6K_2$  system, to calculate the pair interaction energy of group A ( $V_6K_2$  peptides), we firstly screen out the rest of the molecules ( $V_6K_3$  peptides, counterions, water molecules and anti-freeze particles) in the system which we will need index file of the group A, final configuration file and the trajectory file of the system. After we obtain the system with only group A ( $V_6K_2$  peptides), we can use this system to create an energy file to obtain the interaction energy  $U_{AA}$  by using GROMACS v5.1.4. We use the same methodology to calculate the other group B ( $V_6K_3$  peptides). Firstly, we create an index file of the group B and we also need the final configuration file and the final trajectory file of the system. Then, we can use this system which only contains group B to create an energy file and obtain the interaction energy  $U_{BB}$  by using GROMACS v5.1.4.

To calculate  $U_{AB}$ , we will follow the Equation (10). We will need to create an index file that contains group A ( $V_6K_2$  peptides) and group B ( $V_6K_3$  peptides) to obtain  $U_T$ . The final configuration file and final trajectory file of the system are needed. Then, we can use this

system which contains group A ( $V_6K_3$  peptides) and group B ( $V_6K_3$  peptides) to create an energy file to obtain the interaction energy  $U_T$  by using GROMACS v5.1.4. By subtracting the pair interaction energy  $U_{AA}$  and  $U_{BB}$  with  $U_T$ , we will obtain  $U_{AB}$  for our line tension calculation of this system.

For the 20%  $V_6K_2$  system, to calculate the pair interaction energy of group A ( $V_6K_2$  peptides), we firstly exclude the rest of the molecules ( $V_6K_3$  peptides, counterions, water molecules and anti-freeze particles) in the system which we will need index file of the group A, final configuration file and the trajectory file of the system. After we obtain the system with only group A ( $V_6K_2$  peptides), we can use this system to create an energy file to obtain the interaction energy  $U_{AA}$  by using GROMACS v5.1.4. We use the same methodology to calculate the other group B ( $V_6K_3$  peptides). Firstly, we create an index file of the group B and we also need the final configuration file and the final trajectory file of the system. Then, we can use this system which only contains group B to create an energy file and obtain the interaction energy  $U_{BB}$  by using GROMACS v5.1.4.

To calculate  $U_{AB}$ , we will follow the Equation (10). We will need to create an index file that contains group A ( $V_6K_2$  peptides) and group B ( $V_6K_3$  peptides) to obtain  $U_T$ . The final configuration file and final trajectory file of the system are needed. Then, we can use this system which contains group A ( $V_6K_3$  peptides) and group B ( $V_6K_3$  peptides) to create an energy file to obtain the interaction energy  $U_T$  by using GROMACS v5.1.4. By subtracting

the pair interaction energy  $U_{AA}$  and  $U_{BB}$  with  $U_T$ , we will obtain  $U_{AB}$  for our line tension calculation of this system.

For the  $10\%V_6K_2$  system, to calculate the pair interaction energy of group A ( $V_6K_2$  peptides), we firstly screen out the rest of the molecules ( $V_6K_3$  peptides, counterions, water molecules and anti-freeze particles) in the system which we will need index file of the group A, final configuration file and the trajectory file of the system. After we obtain the system with only group A ( $V_6K_2$  peptides), we can use this system to create an energy file to obtain the interaction energy  $U_{AA}$  by using GROMACS v5.1.4. We use the same methodology to calculate the other group B ( $V_6K_3$  peptides). First, we create an index file of the group B and we also need the final configuration file and the final trajectory file of the system. Then, we can use this system which only contains group B to create an energy file and obtain the interaction energy  $U_{BB}$  by using GROMACS v5.1.4.

To calculate  $U_{AB}$ , we will follow the equation (10). We will need to create an index file that contains group A ( $V_6K_2$  peptides) and group B ( $V_6K_3$  peptides) to obtain  $U_T$ . The final configuration file and final trajectory file of the system are needed. Then, we can use this system which contains group A ( $V_6K_3$  peptides) and group B ( $V_6K_3$  peptides) to create an energy file to obtain the interaction energy  $U_T$  by using GROMACS v5.1.4. By subtracting the pair interaction energy  $U_{AA}$  and  $U_{BB}$  with  $U_T$ , we will obtain  $U_{AB}$  for our line tension calculation of this system.

## 4.2.2 Results and Analysis from Line Tension Calculation For $V_6K_2$ And $V_6K_3$ Mixture Systems

We investigated the line tension of each mixture system composition (pure systems are excluded). In Figure (10) below, the curve of line tension calculation is symmetric which indicates that the 90%  $V_6K_2$  system and 90%  $V_6K_3$  system have a lower line tension configuration than other mixture compositions. In the  $40\% V_6K_3$  and  $60\% V_6K_2$  mixture system, the system has a higher line tension configuration than others. The black bars are the standard deviation of each mixture system.

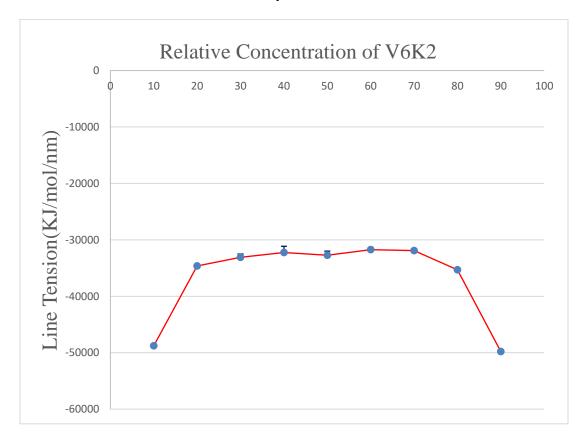


Figure (10) Summaries the line tension of each mixture system.

### 4.3 Introduction of Cluster Calculation For $V_6K_2$ And $V_6K_3$

#### **Mixture Systems**

Cluster calculation which points out the number of the clusters in the peptide system. The mechanism of peptide self-assembly is mainly because of the hydrophobic effect which leads peptide to form various nanostructures. In this section, we will discuss the cluster calculation for the  $V_6K_2$  and  $V_6K_3$  mixture systems.

#### 4.3.1 Cluster Calculation For $V_6K_2$ And $V_6K_3$ Mixture

#### **Systems**

The analysis tool is based on using GROMACS v5.1.4 package. The files that we need for analyzing the number of the clusters are the last 400 ns trajectory file, index files for specific peptide groups of each peptide composition and the topology file of the mixture system. Before we executed the cluster analysis command, we need to know the cut-off distance that needed for each of the peptide ( $V_6K_2$  and  $V_6K_3$ ). If the cut-off distance is either too big or too small, the analysis result can not represent the reasonable meaning of the system. We will use the GROMACS v5.1.4 to obtain the plot of radial distribution functions and then we can determine the cut-off for our cluster calculation. The radial distribution function also called pair distribution function which is denoted as g(r). It represents the probability to find a particle within a distance of r and r+dr away from the reference particle as shown in Fig (11).

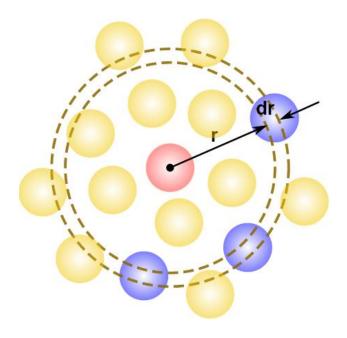


Figure (11) Scheme of the radial distribution function.

Firstly, we use the  $(11 \text{ nm})^3$  cubic box with  $200 \text{ V}_6\text{K}_2\text{peptides}$  as a test example since this system only has one big cluster (nanofibril) in the final configuration. To get the plot of radial distribution function, we will need the trajectory file, topology file of the peptide system and the index file of the peptide group. The Figure (12) below presents the radial distribution function of the  $(11 \text{ nm})^3$  cubic system with  $200 \text{ V}_6\text{K}_2$  peptides.

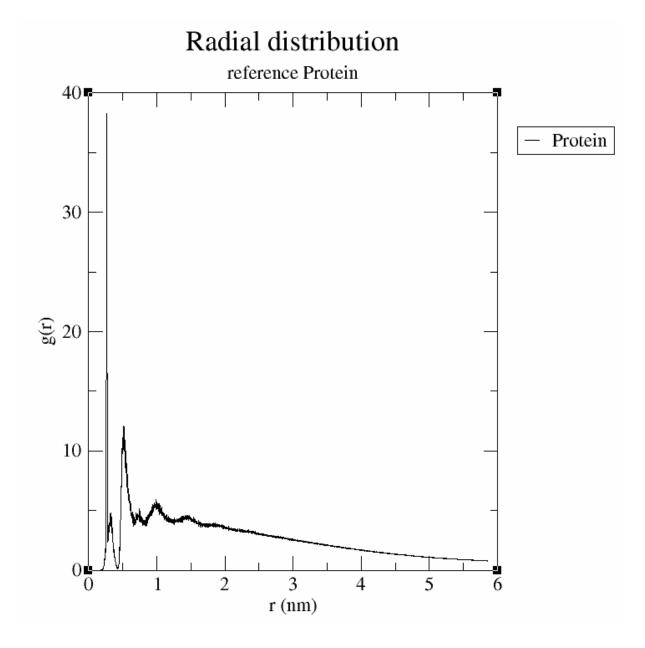


Figure (12) The radial function distribution of 11 nanometer cubic with 200  $V_6K_2$  peptides.

At the cut-off around 0.48 nm is the suitable cut-off distance for calculating the clusters for  $V_6K_2$  peptides which is the largest distance to be considered in a cluster. Based on the RDF graph, at 0.48 nm (g(r)=0) which means at this point the density as a function of distance is zero. This implies the neighboring cluster will not be double-counted at this cut-off distance. We will then use this number to calculate each mixture system for the group of  $V_6K_2$  peptides.

For the  $V_6K_3$  peptide system, we will use the  $(17 \text{ nm})^3$  system with 650  $V_6K_3$  peptides as the test example.

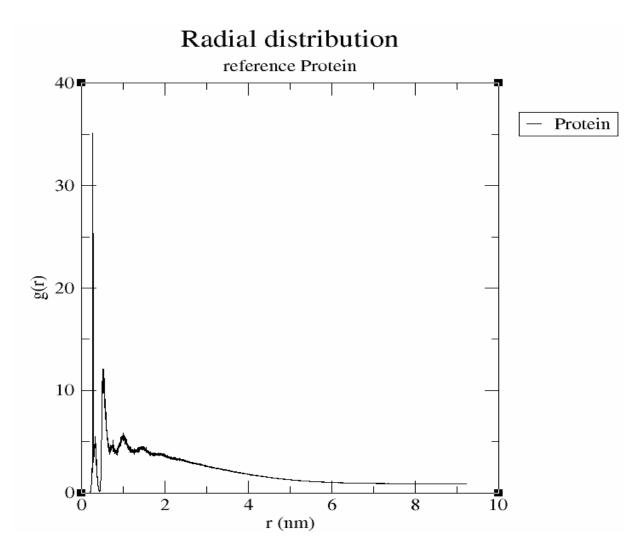


Figure (13) The radial function distribution of 17 nanometer cubic with 650  $V_6K_3$  peptides.

In Figure (13) which shows that 0.5 nm will be a suitable cut-off distance for us to do the cluster calculation for the group of  $V_6K_3$  peptides.

Now, we have the cut-off distance for each of the group of the peptide so that we can begin our cluster calculation for the mixture systems.

To begin with the cluster calculation for the pure systems (pure  $V_6K_2$  and pure  $V_6K_3$ systems), we will need the last 400 ns trajectory files, index file for the peptide group and the topology file for each of the peptide system. We may also need to include the cut-off distance for the peptide group which is 0.48nm for the  $V_6K_2$ peptides group and 0.5nm for the  $V_6K_3$ peptides group in the analysis command.

For the  $90\% \, V_6 \, K_2$  system, we need the last 400 ns trajectory files, index file for each of the peptide groups and the topology file for each of the peptide systems. We may also need to include the cut-off distance for the peptide group which is 0.48nm for the  $V_6 \, K_2$  peptides group and 0.5nm for the  $V_6 \, K_3$  peptides group in the analysis command.

For the  $80\% V_6 K_2$  system, we need the last 400 ns trajectory files, index file for each of the peptide groups and the topology file for each of the peptide systems. We may also need to include the cut-off distance for the peptide group which is 0.48nm for the  $V_6 K_2$  peptides group and 0.5nm for the  $V_6 K_3$  peptides group in the analysis command.

For the  $70\%V_6K_2$  system, we need the last 400 ns trajectory files, index file for each of the peptide groups and the topology file for each of the peptide systems. We may also need to include the cut-off distance for the peptide group which is 0.48nm for the  $V_6K_2$  peptides group and 0.5nm for the  $V_6K_3$  peptides group in the analysis command.

For the  $60\%V_6K_2$  system, we need the last 400 ns trajectory files, index file for each of the peptide groups and the topology file for each of the peptide systems. We may also need

to include the cut-off distance for the peptide group which is 0.48nm for the  $V_6K_2$  peptides group and 0.5nm for the  $V_6K_3$  peptides group in the analysis command.

For the  $50\% \, V_6 \, K_2$  system, we need the last 400 ns trajectory files, index file for each of the peptide groups and the topology file for each of the peptide systems. We may also need to include the cut-off distance for the peptide group which is 0.48nm for the  $V_6 \, K_2$  peptides group and 0.5nm for the  $V_6 \, K_3$  peptides group in the analysis command.

For the  $40\% \, V_6 \, K_2$  system, we need the last 400 ns trajectory files, index file for each of the peptide groups and the topology file for each of the peptide systems. We may also need to include the cut-off distance for the peptide group which is 0.48nm for the  $V_6 \, K_2$  peptides group and 0.5nm for the  $V_6 \, K_3$  peptides group in the analysis command.

For the  $30\% V_6 K_2$  system, we need the last 400 ns trajectory files, index file for each of the peptide groups and the topology file for each of the peptide systems. We may also need to include the cut-off distance for the peptide group which is 0.48nm for the  $V_6 K_2$  peptides group and 0.5nm for the  $V_6 K_3$  peptides group in the analysis command.

For the  $20\% V_6 K_2$  system, we need the last 400 ns trajectory files, index file for each of the peptide groups and the topology file for each of the peptide systems. We may also need to include the cut-off distance for the peptide group which is 0.48nm for the  $V_6 K_2$  peptides group and 0.5nm for the  $V_6 K_3$  peptides group in the analysis command.

For the  $10\% V_6 K_2$  system, we need the last 400 ns trajectory files, index file for each of the peptide groups and the topology file for each of the peptide systems. We may also need to include the cut-off distance for the peptide group which is 0.48nm for the  $V_6 K_2$  peptides group and 0.5nm for the  $V_6 K_3$  peptides group in the analysis command.

# 4.3.2 Analysis and Results for Cluster Calculation of $V_6K_2$ And $V_6K_3$ Mixture Systems

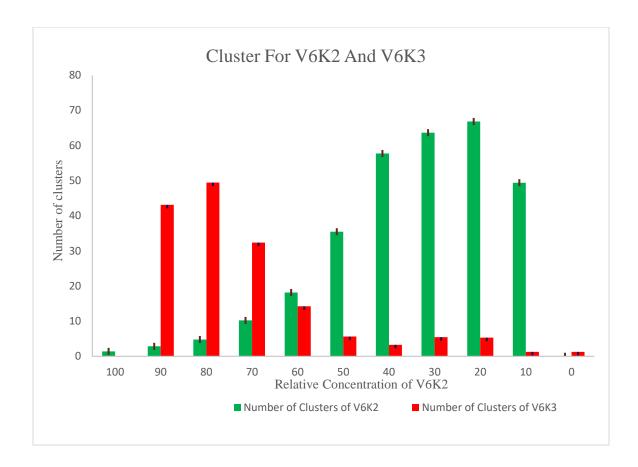
We implemented the method that discussed in the previous section for 10 independent trajectories of each mixture system and then Table (12) and Figure (14) with standard deviation represent the results from our calculation.

*Table (12)* Summaries the cluster calculation of each mixture peptide system.

V <sub>6</sub> K <sub>3</sub> Relative	Average	V <sub>6</sub> K <sub>2</sub> Relative	Average
Concentration		Concentration	
0%V <sub>6</sub> K <sub>3</sub>	0	100% V <sub>6</sub> K <sub>2</sub>	1.400
$10\%V_6K_3$	43.089	$90\%\mathrm{V_6\mathrm{K_2}}$	2.823
$20\%V_6K_3$	49.421	$80\%\mathrm{V_6K_2}$	4.758
$30\%V_6K_3$	32.341	$70\% V_6 K_2$	10.165
$40\%V_6K_3$	14.209	$60\%\mathrm{V_6K_2}$	18.156
$50\%V_6K_3$	5.609	50% V <sub>6</sub> K <sub>2</sub>	35.447
$60\%V_6K_3$	3.261	$40\%\mathrm{V_6K_2}$	57.700
$70\%V_6K_3$	5.422	30% V <sub>6</sub> K <sub>2</sub>	63.640
$80\%V_6K_3$	5.300	$20\%\mathrm{V_6K_2}$	66.817
$90\%V_6K_3$	1.263	$10\%V_6K_2$	49.401

100%V <sub>6</sub> K <sub>3</sub>	1.247	0%V <sub>6</sub> K <sub>2</sub>	0

Figure (14) Summaries the cluster calculation of each mixture peptide system.



Based on Fig (14), the maximum number of the clusters occurred in the  $20\% V_6 K_2$  and  $20\% V_6 K_3$  systems. This happens maybe because this is the relative concentration for minor phase peptides starts to form aggregates. For example, at the  $10\% V_6 K_2$  system,  $V_6 K_2$  is the minor phase of the peptide system, there are too few minor phase peptides to associate with each other and remain dispersed in the system. When the concentration goes above 20%, the minor phase peptides start to form aggregates. Hence, at  $20\% V_6 K_2$  and

 $20\%V_6K_3$  systems, we would find the maximum cluster numbers. The minimum number of clusters occurred in the pure system since there is only one component. One interesting phenomenon is that in the  $60\%V_6K_2$  and  $40\%V_6K_3$  system, the number of clusters of each peptide group has the closest number of the clusters. This happens maybe because this group has the highest line tension based on the result from the previous section. Also, in  $20\%V_6K_3$  and  $30\%V_6K_3$  systems, more clusters can be found than in the  $40\%V_6K_3$  system. This can be explained by the analysis of surface accessible surface area which 20% and  $30\%V_6K_3$  systems have more surface accessible surface area than the  $40\%V_6K_3$ . Furthermore, the  $V_6K_3$  peptide group seems to have fewer clusters than the  $V_6K_2$  peptide group even in the high relative concentration. The bars are the standard deviation.

## 4.4 Introduction of Radius of Gyration Analysis For $V_6K_2$ And $V_6K_3$ Mixture Systems

The radius of gyration  $(R_g)$  of a peptide is a measurement of its compactness. If a peptide is stably folded, it may maintain a steady value radius of gyration otherwise the value will change over time. We use GROMACS v5.1.4 to analyze our mixture systems for the radius of gyration.

#### 4.4.1 Radius of Gyration Analysis For $V_6K_2$ And $V_6K_3$

#### **Mixture Systems**

To obtain the radius of gyration of the mixture systems, we will need the last 400 ns trajectory file, the index file for the lysine group of each peptide mixture system and the topology file of the mixture system. We only investigate the radius of gyration of "lysine group" of the peptides in each mixture system because we want to know how hydrophilic effect that affects the compactness of peptide's folding. We will only use one seed of each mixture system with ten independent lysine index groups.

For pure  $V_6K_2$  and  $V_6K_3$  systems, we will use the last 400 ns trajectory files, the specific index files for each pure peptide system and the topology file of each system. We will then average the radius of gyration based on the ten independent index groups of lysine for each system.

For the  $90\%V_6K_2$  system, we will use the last 400 ns trajectory files, the specific index files for each peptide component and the topology file of the system. We will then average the radius of gyration based on the five independent index groups of lysine for each peptide group.

For the  $80\% \, V_6 \, K_2$  system, we will use the last 400 ns trajectory files, the specific index files for each peptide component and the topology file of the system. We will then average the radius of gyration based on the five independent index groups of lysine for each peptide group.

For the  $70\%V_6K_2$  system, we will use the last 400 ns trajectory files, the specific index files for each peptide component and the topology file of the system. We will then average the radius of gyration based on the five independent index groups of lysine for each peptide group.

For the  $60\%V_6K_2$  system, we will use the last 400 ns trajectory files, the specific index files for each peptide component and the topology file of the system. We will then average the radius of gyration based on the five independent index groups of lysine for each peptide group.

For the  $50\%V_6K_2$  system, we will use the last 400 ns trajectory files, the specific index files for each peptide component and the topology file of the system. We will then average the radius of gyration based on the five independent index groups of lysine for each peptide group.

For the  $40\%V_6K_2$  system, we will use the last 400 ns trajectory files, the specific index files for each peptide component and the topology file of the system. We will then average the radius of gyration based on the five independent index groups of lysine for each peptide group.

For the  $30\%V_6K_2$  system, we will use the last 400 ns trajectory files, the specific index files for each peptide component and the topology file of the system. We will then average

the radius of gyration based on the five independent index groups of lysine for each peptide group.

For the  $20\% V_6 K_2$  system, we will use the last 400 ns trajectory files, the specific index files for each peptide component and the topology file of the system. We will then average the radius of gyration based on the five independent index groups of lysine for each peptide group.

For the  $10\%V_6K_2$  system, we will use the last 400 ns trajectory files, the specific index files for each peptide component and the topology file of the system. We will then average the radius of gyration based on the five independent index groups of lysine for each peptide group.

### 4.4.2 Analysis and Results for Radius of Gyration of $V_6K_2$ And $V_6K_3$ Mixture Systems

Based on the method we discussed in the previous section, we can obtain the radius of gyration as figure (15) shows below. The  $V_6K_3$  peptide has a larger head group therefore the radius of gyration will be larger than the  $V_6K_2$  peptide. At 10% relative concentration of each mixture system, the radius of gyration is the largest than the rest of the relative concentration systems.

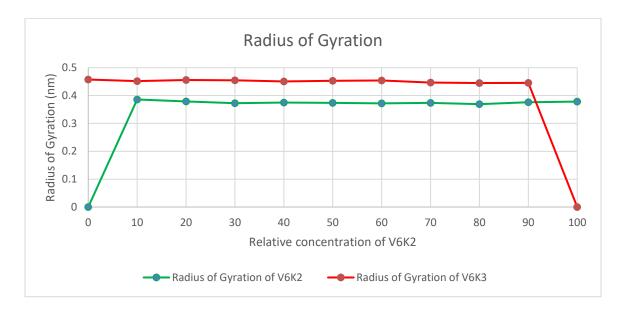


Figure (15) Summaries the radius of gyration calculation of each mixture peptide system.

#### **Chapter 5 Conclusion**

We study the  $V_6K_2$  and  $V_6K_3$  peptides based on using MARTINI Forcefield and GROMACS v5.1.4 package. Different water models (polarizable and non-polarizable) have been used to investigate the validation of  $V_6K_2$  self-assembly supramolecular nanostructure based on experimental results.<sup>37-41</sup>Both of the water models validate the experimental results in the small system; however, due to computational cost and reproducibility consideration in the bigger system, we decide to use non-polarizable water model to study the mixture system of  $V_6K_2$  and  $V_6K_3$  peptides.

The mixture systems were built up based upon the peptide concentration in the small system. The reason to scale up the size is that we try to prevent the finite size effect for our peptide system. We will then use the one total peptide concentration with 11 relative peptide concentrations for further study.

We also investigate the 11 mixture systems based on the solvent accessible surface area, line tension, cluster calculation and the radius of gyration of lysine group. The solvent accessible surface area provides a clue about how much area of the supramolecular structure in the peptide system, line tension tells us how much excess interaction energy per characteristic length, the cluster calculation gives us an important information about the number of aggregations in the system and finally the radius of gyration shows us the compactness of the peptide structure. These examinations provide a meaningful story behind the peptide system in both chemical and physical ways.

#### **Bibliography**

- 1. Stephanopoulos, Nicholas, Julia H. Ortony, and Samuel I. Stupp. "Self-Assembly for the Synthesis of Functional Biomaterials." *Acta Materialia* 61, no. 3 (2013): 912–30.
- 2. Unger, R, A Sartoris, K Peters, A Motta, C Migliaresi, M Kunkel, U Bulnheim, J Rychly, and C Jameskirkpatrick. "Tissue-like Self-Assembly in Cocultures of Endothelial Cells and Osteoblasts and the Formation of Microcapillary-like Structures on Three-Dimensional Porous Biomaterials." *Biomaterials* 28, no. 27 (2007): 3965–76.
- 3. Cui, Honggang, Matthew J. Webber, and Samuel I. Stupp. "Self-Assembly of Peptide Amphiphiles: From Molecules to Nanostructures to Biomaterials." *Biopolymers* 94, no. 1 (2010): 1–18.
- 4. Kyle, Stuart, Amalia Aggeli, Eileen Ingham, and Michael J. Mcpherson. "Production of Self-Assembling Biomaterials for Tissue Engineering." Trends in Biotechnology 27, no. 7 (2009): 423–33.
- 5. Zhang, Shuguang. "Fabrication of Novel Biomaterials through Molecular Self-Assembly." *Nature Biotechnology* 21, no. 10 (2003): 1171–78
- 6. Granja, Juan R., and M. Reza Ghadiri. "Self-Assembling Peptide Nanotubes." *NMR in Supramolecular Chemistry*, 1999, 61–66.
- 7. Khanra, Soma, Thiago Cipriano, Thomas Lam, Tommi A. White, Eudes E. Fileti, Wendel A. Alves, and Suchismita Guha. "Self-Assembled Peptide-Polyfluorene Nanocomposites for Biodegradable Organic Electronics." *Advanced Materials Interfaces* 2, no. 14 (July 2015): 1500265.
- 8. Gazit, Ehud. "Self-Assembled Peptide Nanostructures: The Design of Molecular Building Blocks and Their Technological Utilization." *ChemInform* 38, no. 44 (2007).
- 9. Ulijn, Rein V., and Andrew M. Smith. "Designing Peptide Based Nanomaterials." *Chemical Society Reviews* 37, no. 4 (2008): 664.
- 10. Smith, Katherine H., Esther Tejeda-Montes, Marta Poch, and Alvaro Mata. "Integrating Top-down and Self-Assembly in the Fabrication of Peptide and Protein-Based Biomedical Materials." *Chemical Society Reviews* 40, no. 9 (2011): 4563.
- 11. Pike, Cj, D Burdick, Aj Walencewicz, Cg Glabe, and Cw Cotman. "Neurodegeneration Induced by Beta-Amyloid Peptides in Vitro: the Role of Peptide Assembly State." *The Journal of Neuroscience* 13, no. 4 (January 1993): 1676–87.
- 12. Koo, E. H., P. T. Lansbury, and J. W. Kelly. "Amyloid Diseases: Abnormal Protein Aggregation in Neurodegeneration." *Proceedings of the National Academy of Sciences* 96, no. 18 (1999): 9989–90.
- 13. Do, Thanh D., Natália E. C. De Almeida, Nichole E. Lapointe, Ali Chamas, Stuart C. Feinstein, and Michael T. Bowers. "Amino Acid Metaclusters: Implications of Growth Trends on Peptide Self-Assembly and Structure." *Analytical Chemistry* 88, no. 1 (2015): 868–76.
- 14. Waqas, Muhammad, Woo-Jin Jeong, Young-Joo Lee, Dae-Hwan Kim, Chongsuk Ryou, and Yong-Beom Lim. "PH-Dependent In-Cell Self-Assembly of Peptide

- Inhibitors Increases the Anti-Prion Activity While Decreasing the Cytotoxicity." *Biomacromolecules* 18, no. 3 (2017): 943–50.
- 15. Deng, Li, and Hai Xu. "Hierarchical Processes Inβ-Sheet Peptide Self-Assembly from the Microscopic to the Mesoscopic Level." *Chinese Physics B* 25, no. 1 (2016): 018701.
- 16. Liu, Tingyu, and Gal Bitan. "Modulating Self-Assembly of Amyloidogenic Proteins as a Therapeutic Approach for Neurodegenerative Diseases: Strategies and Mechanisms." *ChemMedChem* 7, no. 3 (September 2012): 359–74.
- 17. Ke, Pu Chun, Marc-Antonie Sani, Feng Ding, Aleksandr Kakinen, Ibrahim Javed, Frances Separovic, Thomas P. Davis, and Raffaele Mezzenga. "Implications of Peptide Assemblies in Amyloid Diseases." *Chemical Society Reviews* 46, no. 21 (2017): 6492–6531.
- 18. Al-Garawi, Zahraa S., Kyle L. Morris, Karen E. Marshall, Jutta Eichler, and Louise C. Serpell. "The Diversity and Utility of Amyloid Fibrils Formed by Short Amyloidogenic Peptides." *Interface Focus* 7, no. 6 (2017): 20170027.
- 19. Marshall, Karen E., Devkee M. Vadukul, Liza Dahal, Alina Theisen, Milena W. Fowler, Youssra Al-Hilaly, Lenzie Ford, et al. "A Critical Role for the Self-Assembly of Amyloid-β1-42 in Neurodegeneration." *Scientific Reports* 6, no. 1 (2016).
- 20. Norotte, Cyrille, Francois S. Marga, Laura E. Niklason, and Gabor Forgacs. "Scaffold-Free Vascular Tissue Engineering Using Bioprinting." *Biomaterials* 30, no. 30 (2009): 5910–17.
- 21. Smith, L.a., and P.x. Ma. "Nano-Fibrous Scaffolds for Tissue Engineering." *Colloids and Surfaces B: Biointerfaces* 39, no. 3 (2004): 125–31.
- 22. Jakab, Karoly, Cyrille Norotte, Francoise Marga, Keith Murphy, Gordana Vunjak-Novakovic, and Gabor Forgacs. "Tissue Engineering by Self-Assembly and Bio-Printing of Living Cells." *Biofabrication* 2, no. 2 (January 2010): 022001.
- 23. "Biomaterials for Tissue Engineering." *Introduction to Tissue Engineering*, 2014, 84–129.
- 24. Lutolf, M P, and J A Hubbell. "Synthetic Biomaterials as Instructive Extracellular Microenvironments for Morphogenesis in Tissue Engineering." *Nature Biotechnology* 23, no. 1 (2005): 47–55.
- 25. Jakab, Karoly, Cyrille Norotte, Brook Damon, Francoise Marga, Adrian Neagu, Cynthia L. Besch-Williford, Anatoly Kachurin, et al. "Tissue Engineering by Self-Assembly of Cells Printed into Topologically Defined Structures." *Tissue Engineering*, 2007, 110306233438005.
- 26. Qiu, Feng, Yongzhu Chen, Chengkang Tang, and Xiaojun Zhao. "Amphiphilic Peptides as Novel Nanomaterials: Design, Self-Assembly and Application." *International Journal of Nanomedicine* Volume 13 (2018): 5003–22.
- 27. Monticelli, Luca, Senthil K. Kandasamy, Xavier Periole, Ronald G. Larson, D. Peter Tieleman, and Siewert-Jan Marrink. "The MARTINI Coarse-Grained Force Field: Extension to Proteins." *Journal of Chemical Theory and Computation* 4, no. 5 (2008): 819–34.

- 28. Jong, Djurre H. De, Gurpreet Singh, W. F. Drew Bennett, Clement Arnarez, Tsjerk A. Wassenaar, Lars V. Schäfer, Xavier Periole, D. Peter Tieleman, and Siewert J. Marrink. "Improved Parameters for the Martini Coarse-Grained Protein Force Field." Journal of Chemical Theory and Computation 9, no. 1 (2012): 687–97.
- 29. Marrink, Siewert J., H. Jelger Risselada, Serge Yefimov, D. Peter Tieleman, and Alex H. De Vries. "The MARTINI Force Field: Coarse Grained Model for Biomolecular Simulations." The Journal of Physical Chemistry B 111, no. 27 (2007): 7812–24.
- 30. Marrink, Siewert J., Alex H. De Vries, and Alan E. Mark. "Coarse Grained Model for Semiquantitative Lipid Simulations." *The Journal of Physical Chemistry B* 108, no. 2 (2004): 750–60.
- 31. Sun, Yunxiang, Zhenyu Qian, Cong Guo, and Guanghong Wei. "Amphiphilic Peptides A6K and V6K Display Distinct Oligomeric Structures and Self-Assembly Dynamics: A Combined All-Atom and Coarse-Grained Simulation Study." Biomacromolecules 16, no. 9 (2015): 2940–49.
- 32. Yesylevskyy, Semen O., Lars V. Schäfer, Durba Sengupta, and Siewert J. Marrink. "Polarizable Water Model for the Coarse-Grained MARTINI Force Field." *PLoS Computational Biology* 6, no. 6 (October 2010).
- 33. https://www.chemspider.com/StructureSearch.aspx
- 34. https://www.chemspider.com/StructureSearch.aspx
- 35. Meng, Qingbin, Yingying Kou, Xin Ma, Yuanjun Liang, Lei Guo, Caihua Ni, and Keliang Liu. "Tunable Self-Assembled Peptide Amphiphile Nanostructures." *Langmuir* 28, no. 11 (June 2012): 5017–22.
- 36. Berendsen, H. J. C., J. P. M. Postma, W. F. Van Gunsteren, A. Dinola, and J. R. Haak. "Molecular Dynamics with Coupling to an External Bath." *The Journal of Chemical Physics* 81, no. 8 (1984): 3684–90.
- 37. Parrinello, M., and A. Rahman. "Crystal Structure and Pair Potentials: A Molecular-Dynamics Study." *Physical Review Letters* 45, no. 14 (June 1980): 1196–99.
- 38. Parrinello, M., and A. Rahman. A Molecular-Dynamics Study of Crystal-Structure Transformations, *Bull. Am. Phys. Soc.*, 1981, 26(3), 380-380
- 39. Parrinello, M., and A. Rahman. "Polymorphic Transitions in Single Crystals: A New Molecular Dynamics Method." *Journal of Applied Physics* 52, no. 12 (1981): 7182–90.
- 40. Dehsorkhi, Ashkan, Valeria Castelletto, and Ian W. Hamley. "Self-Assembling Amphiphilic Peptides." *Journal of Peptide Science* 20, no. 7 (2014): 453–67.
- 41. Baumann, Martina Katharina, 2010.
- 42. Baumann, Martina K., Marcus Textor, and Erik Reimhult. "Understanding Self-Assembled Amphiphilic Peptide Supramolecular Structures from Primary Structure Helix Propensity." *Langmuir* 24, no. 15 (2008): 7645–47.
- 43. Zhang, Jinghui, Yurong Zhao, Shuyi Han, Cuixia Chen, and Hai Xu. "Self-Assembly of Surfactant-like Peptides and Their Applications." *Science China Chemistry* 57, no. 12 (July 2014): 1634–45.
- 44. Hamley, I. W. "Self-Assembly of Amphiphilic Peptides." *Soft Matter* 7, no. 9 (2011): 4122.

- 45. Marrink, Siewert J., H. Jelger Risselada, Serge Yefimov, D. Peter Tieleman, and Alex H. De Vries. "The MARTINI Force Field: Coarse Grained Model for Biomolecular Simulations." *The Journal of Physical Chemistry B* 111, no. 27 (2007): 7812–24.
- 46. Gromiha, M. Michael. "Protein Structure Analysis." *Protein Bioinformatics*, 2010, 63–105.
- 47. <a href="https://en.wikipedia.org/wiki/Accessible\_surface\_area">https://en.wikipedia.org/wiki/Accessible\_surface\_area</a>
- 48. Gibbs, J. W. "On the Equilibrium of Heterogeneous Substances." *American Journal of Science* s3-16, no. 96 (January 1878): 441–58.
- 49. Lipowsky, Reinhard, and Rumiana Dimova. "Domains in Membranes and Vesicles." Journal of Physics: Condensed Matter 15, no. 1 (2002).
- 50. https://en.wikipedia.org/wiki/Radial\_distribution\_function